



CAR '07 2nd National Workshop

Z and ProCoSA based specification of a distributed
FDIR in a satellite formation

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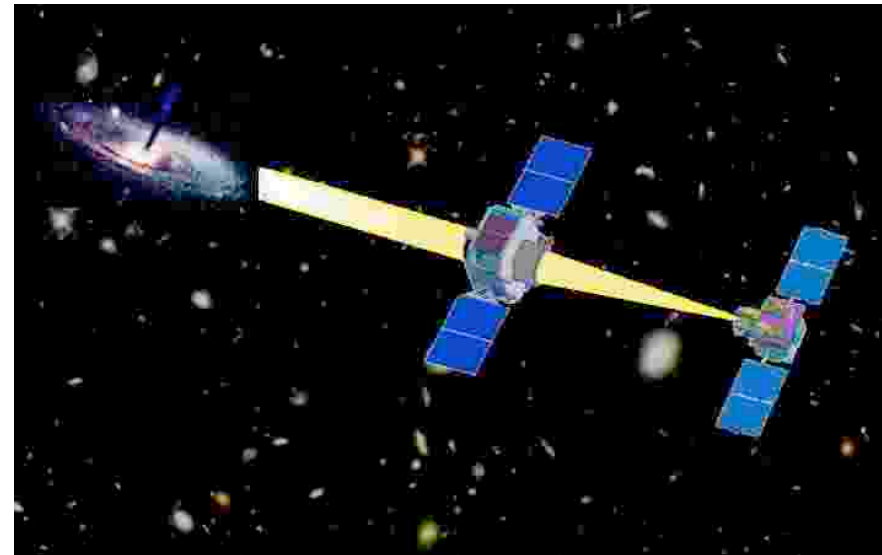
Autonomy in space missions

- Reduction of ground operations, reduction of service interruptions, improvement of reactivity of the system.
- On-board planning related to satellite command-control issues
- Organisation of reliable software components in a hierarchical closed loop architecture
 - {perception, situation assessment, decision, and action}
- Concurrent control of distributed components



Autonomous satellite formation

- Formation flying of satellites: a virtual large satellite
- Functions distributed among multiple satellite
- Very precise autonomous coordination and control of satellites: common scientific goal



Anomalies in operational use

- Three classes :
 - formation geometry anomalies: Keep Out Zone (KOZ) violation, altered relative positions, altered orientations;
 - degradation or loss of parts of instruments
 - degradation or loss of communication within the formation, or between the formation and ground stations

◇ KOZ violation



FDIR basic concepts

- FDIR : Fault Detection, Isolation and Recovery
- The formation = a decision agent for FDIR
- FDIR embedded in the global autonomy architecture: part of various autonomy functions
- FDIR strategy designing in accordance with the type of formation: master-slave formation, homogeneous formation, etc



Z-ProCoSA based specification

- Z specification: static aspects
- ProCoSA Petri nets: behavioural aspects
- Link: global formal specification
- Combining Z-Petri nets (Heiner, Heisel, 99) (Xudong, 01) (Peschanski, Julien, 03)



Z basic features

- Z formal specification notation based on set theory and first-order predicate logic

to specify data-oriented aspects of a system

FORMATION

ACTEUR

$satellites : \mathbb{F}_1 SATELLITE$

$distance : SATELLITE \times SATELLITE \rightarrow \mathbb{N}_1$

$dispose_de_fop : \mathbb{F}_1 FONCTION_OP$

$dispose_de_fdir : FDIR$

$status_vkoz : ETAT_V_KOZ$

$dom\ distance \subseteq satellites \times satellites$

$status_vkoz = normal \Leftrightarrow$

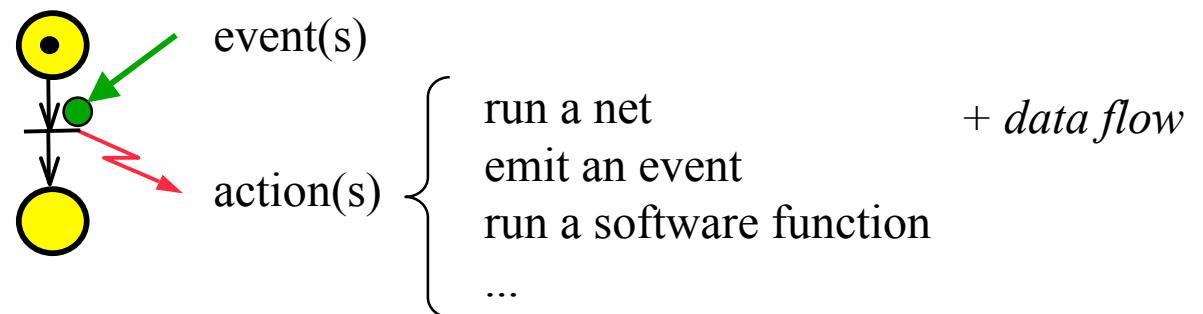
$(\forall sat1, sat2 : SATELLITE \mid (sat1, sat2) \in dom\ distance$

• $distance(sat1, sat2) > sat1.koz + sat2.koz)$



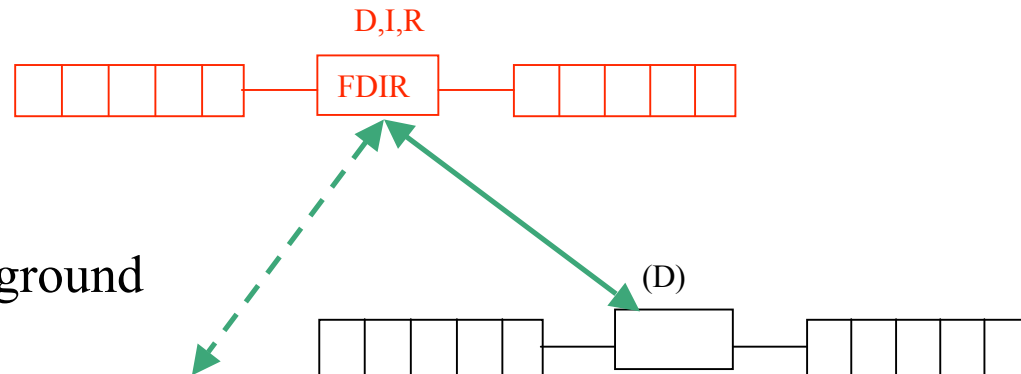
ProCoSA

- “Programmation et Contrôle de Systèmes à forte Autonomie” ® 1999
- Integrated package
 - puts together and synchronises functions achieving system autonomy
 - aims at developing an embedded decisional software architecture
- Interpreted nets

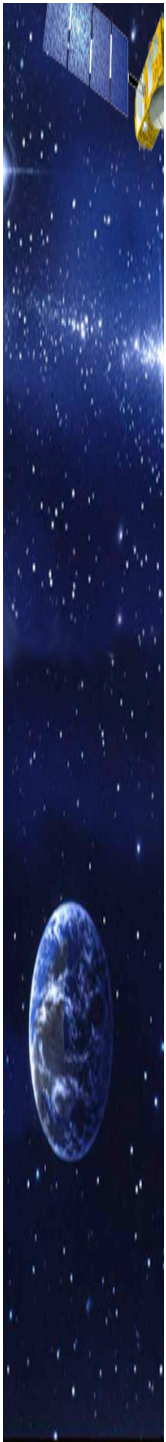


Example: FDIR centralised strategy

- One satellite performs FDIR for the whole formation

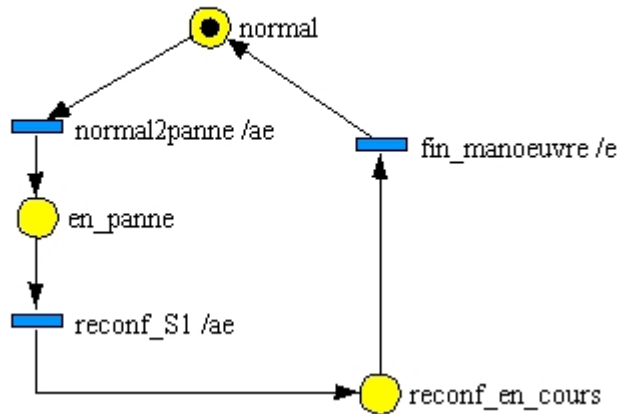


- S_{FDIR} communicates with ground stations

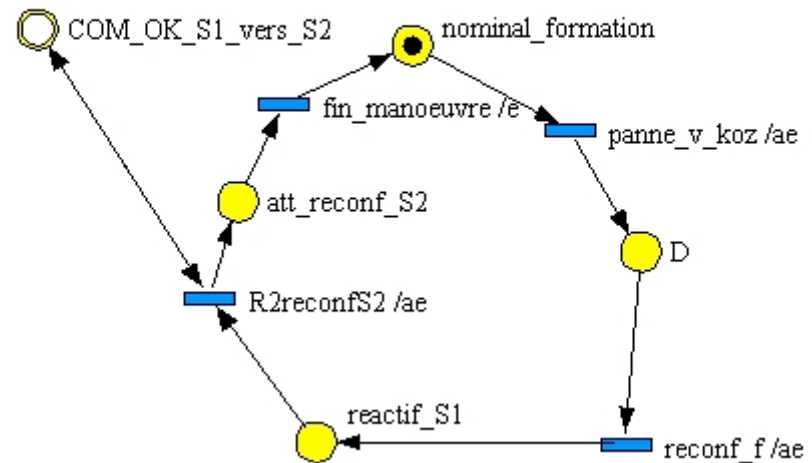


Simbol-X specification using Z and ProCoSA

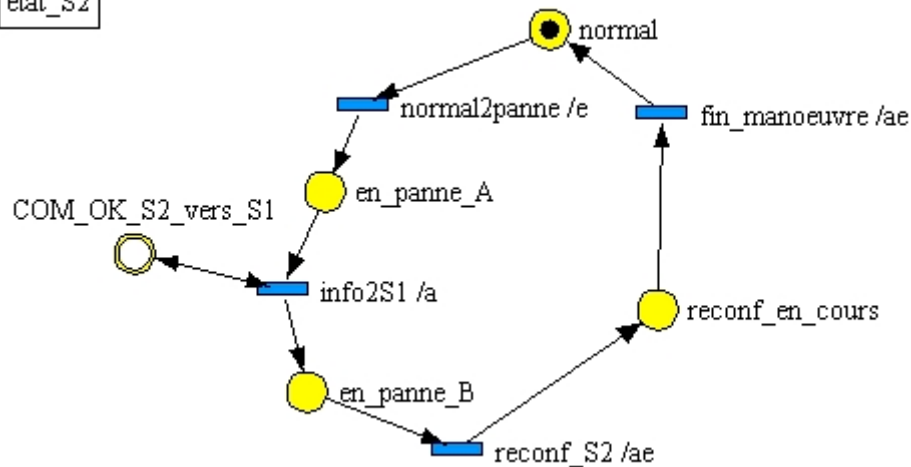
etat_S1



FDIR_S1



etat_S2

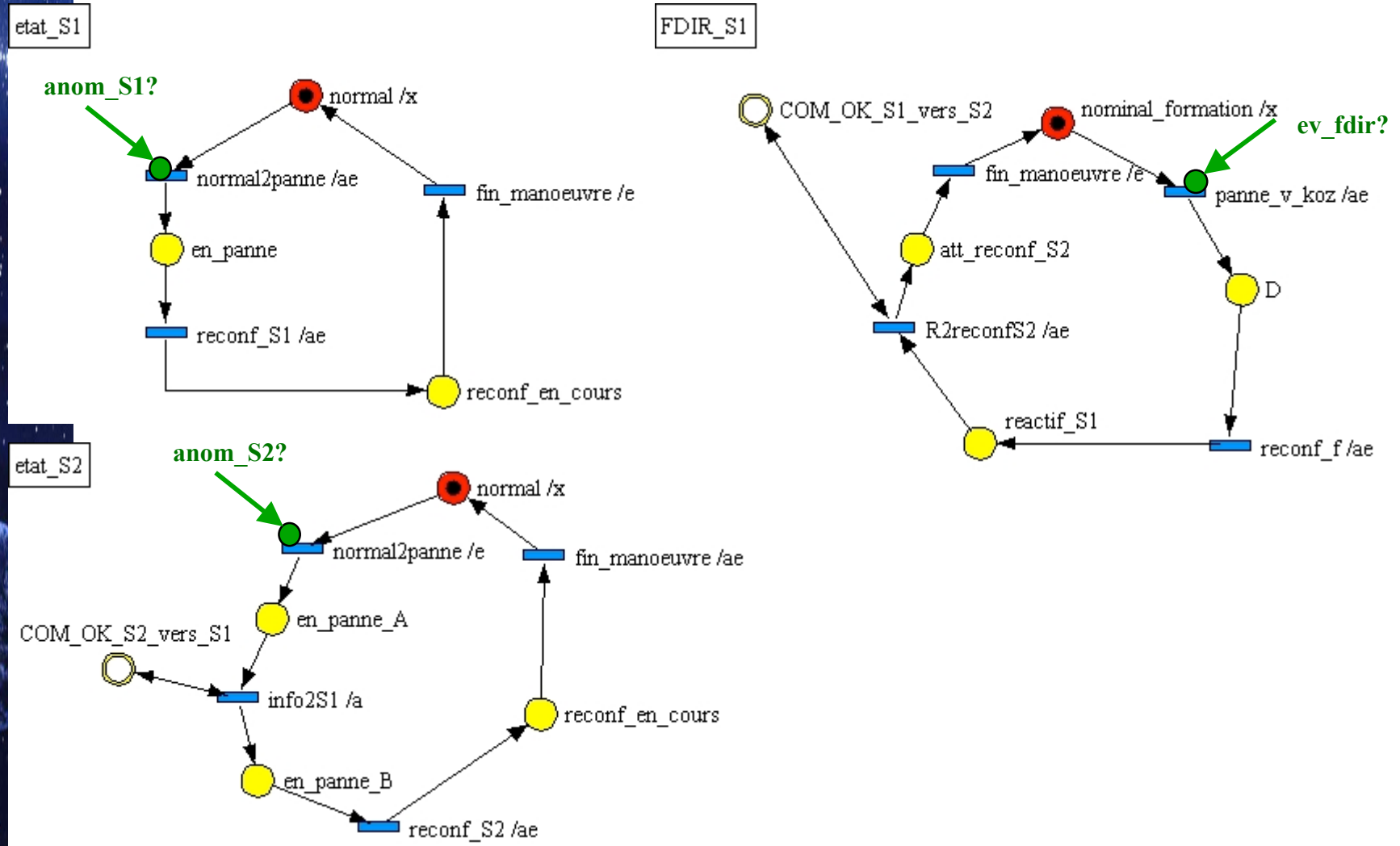


Init_FORMATION
 FORMATION
 ≡SIMBOLX

status_vkoz = normal
 sat1.type = detecteur ∧ sat1.koz = 18
 sat2.type = miroir ∧ sat2.koz = 15

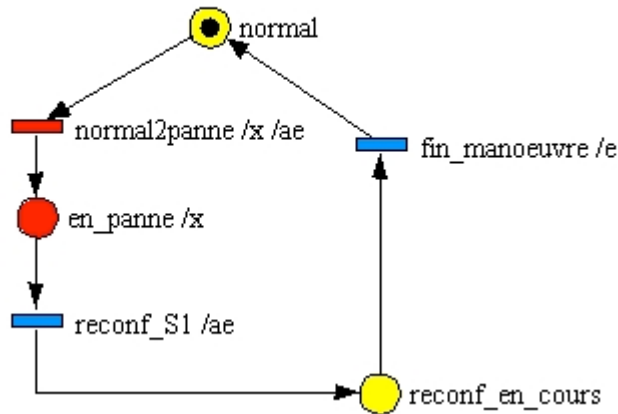


Simbol-X specification using Z and ProCoSA

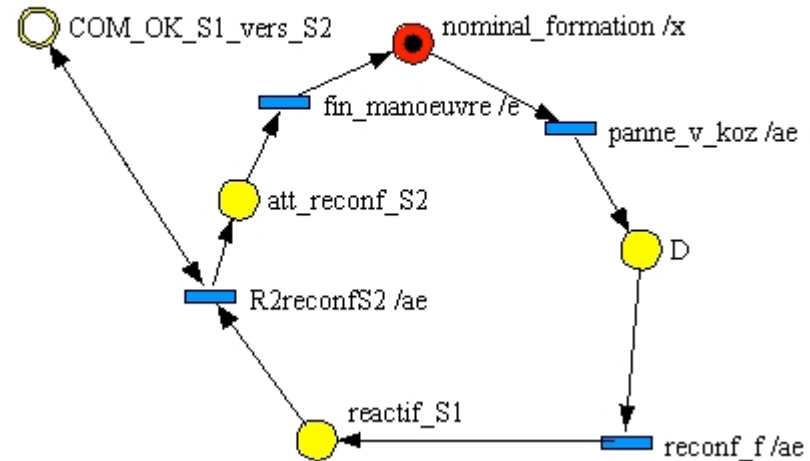


Symbol-X specification using Z and ProCoSA

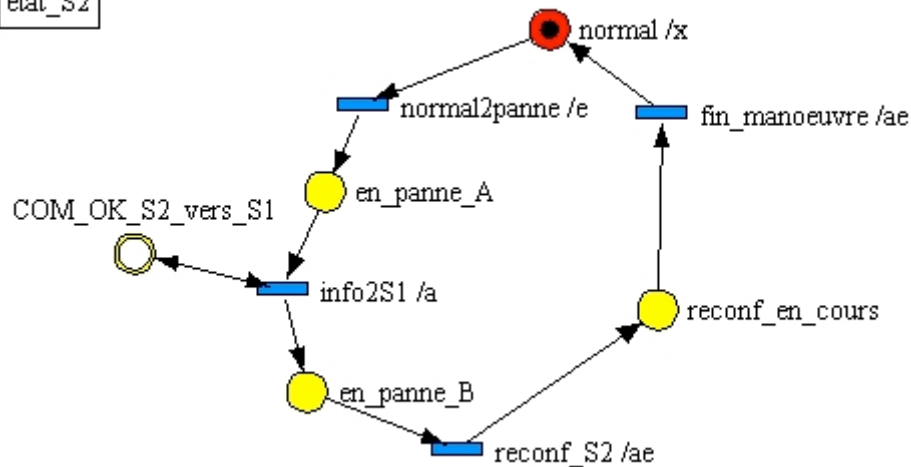
etat_S1



FDIR_S1



etat_S2



NORMAL2PANNE

\exists SIMBOLX

Δ FDIR

anom_S1? : DEFAUT

anom_S2? : DEFAUT

anom_S1? \in *sat1.dispose_de_fdir.traité*

anom_S2? \in *sat2.dispose_de_fdir.traité*

sat1.dispose_de_fdir.detections \cap *detections'*

\neq *detections* \cap *sat1.dispose_de_fdir.detections'*

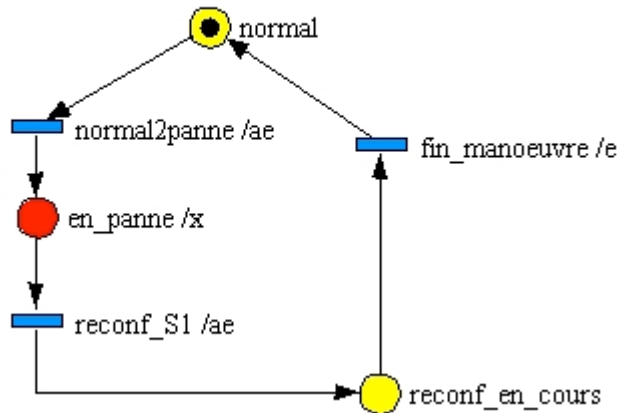
sat2.dispose_de_fdir.detections \cap *detections'*

\neq *detections* \cap *sat2.dispose_de_fdir.detections'*

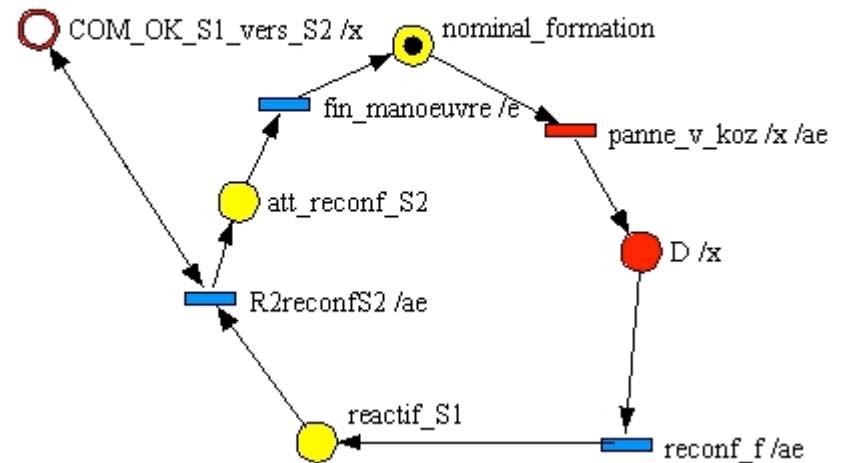


Symbol-X specification using Z and ProCoSA

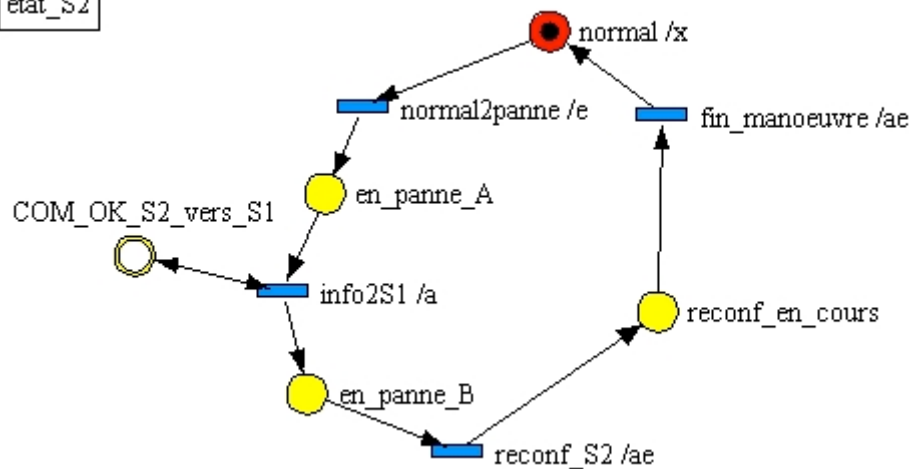
etat_S1



FDIR_S1



etat_S2



PANNE_V_KOZ

\exists SIMBOLX

Δ FORMATION

ev_fdir? : DEFAUT

ev_fdir? \in formation.dispose_de_fdir.traité

status_vkoz = normal

(sat1, sat2) \in dom distance

distance(sat1, sat2) > sat1.koz + sat2.koz

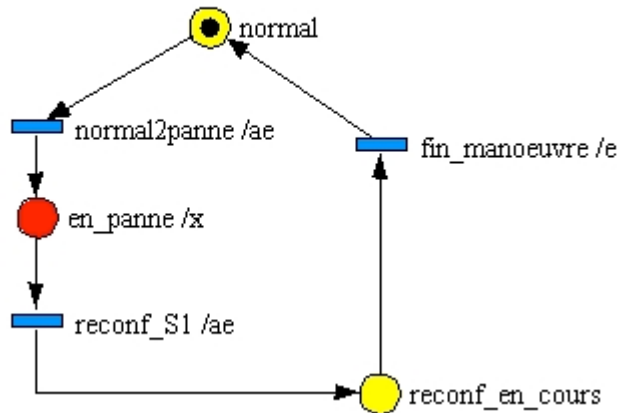
status_vkoz' = en_panne

distance'(sat1, sat2) \leq sat1.koz + sat2.koz

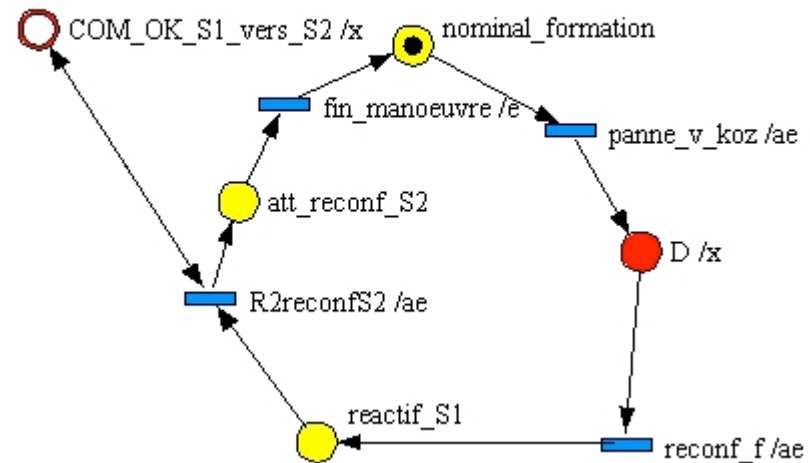


Simbol-X specification using Z and ProCoSA

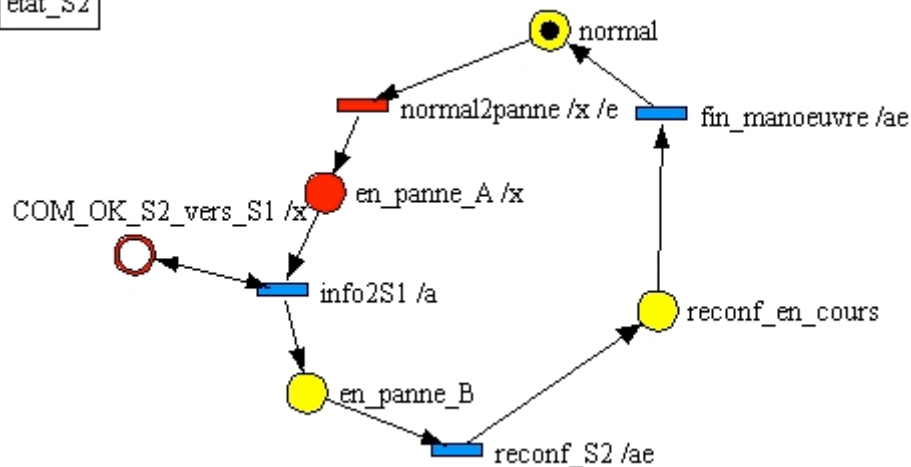
etat_S1



FDIR_S1



etat_S2



NORMAL2PANNE

\exists SIMBOLX

Δ FDIR

anom_S1? : DEFAUT

anom_S2? : DEFAUT

anom_S1? \in sat1.dispose_de_fdir.traité

anom_S2? \in sat2.dispose_de_fdir.traité

sat1.dispose_de_fdir.detections \cap detections'

\neq detections \cap sat1.dispose_de_fdir.detections

sat2.dispose_de_fdir.detections \cap detections'

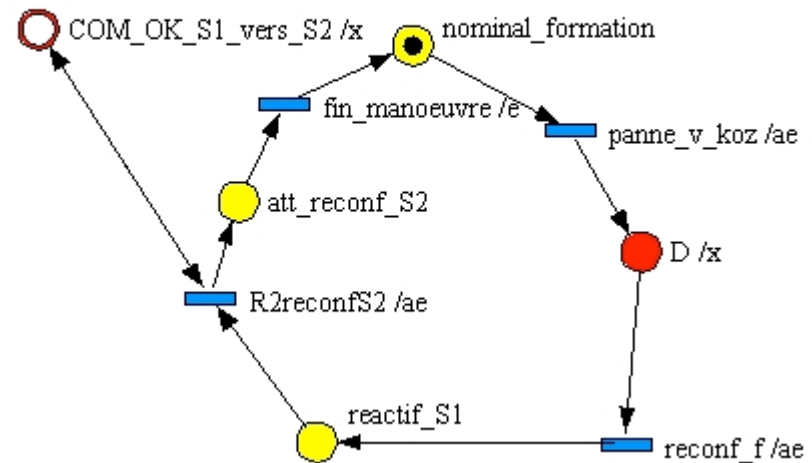
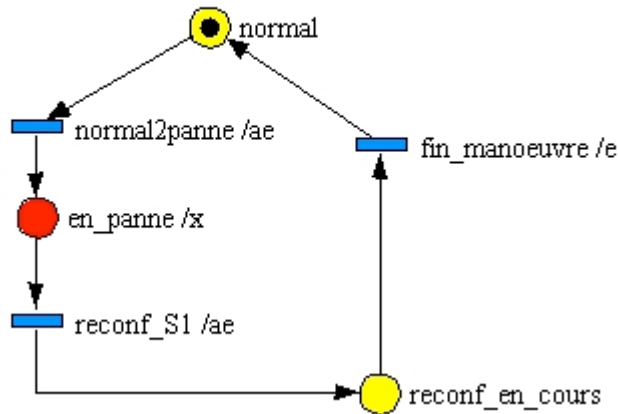
\neq detections \cap sat2.dispose_de_fdir.detections



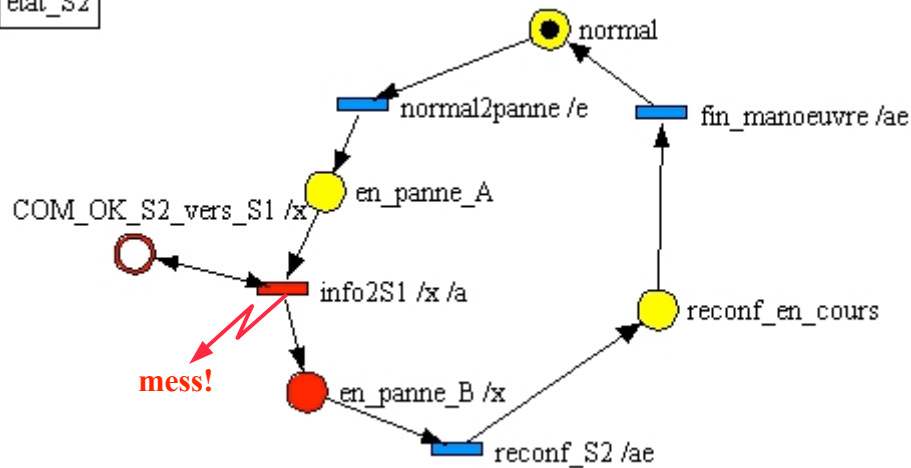
Simbol-X specification using Z and ProCoSA

etat_S1

FDIR_S1



etat_S2



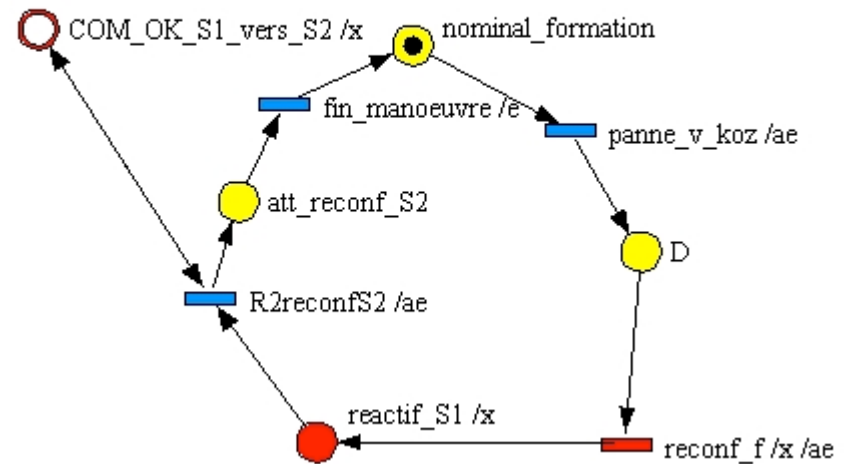
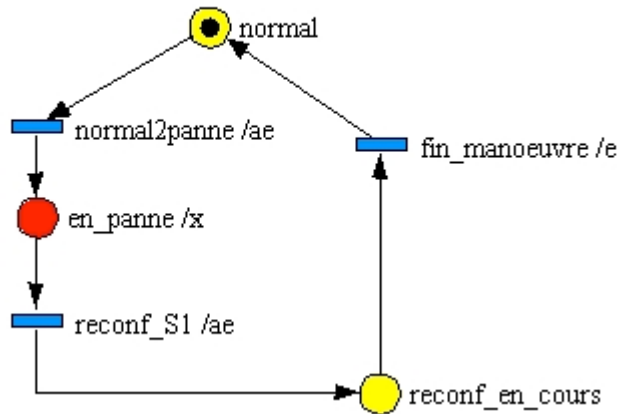
$INFO2S1 \hat{=} [mess! : MESSAGE \mid mess! = messalarme]$



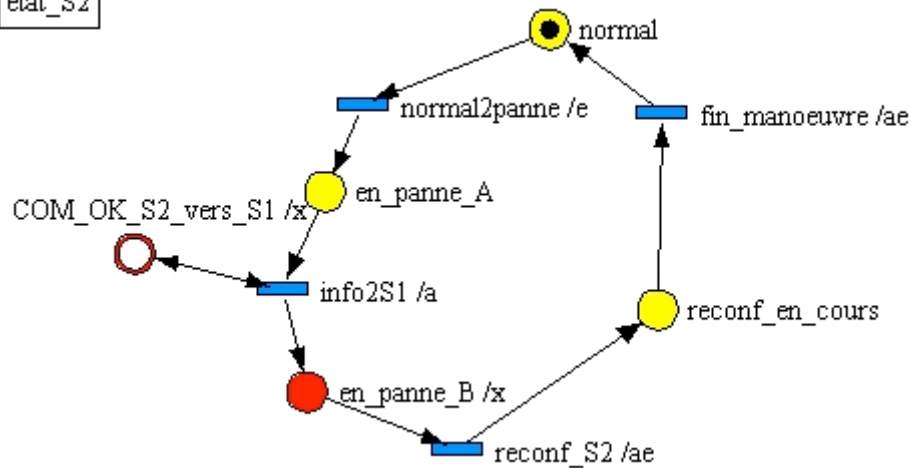
Simbol-X specification using Z and ProCoSA

etat_S1

FDIR_S1



etat_S2



RECONF_F _____
 \exists SIMBOLX
 Δ OPERATION
 Δ STRATEGIE_FDIR

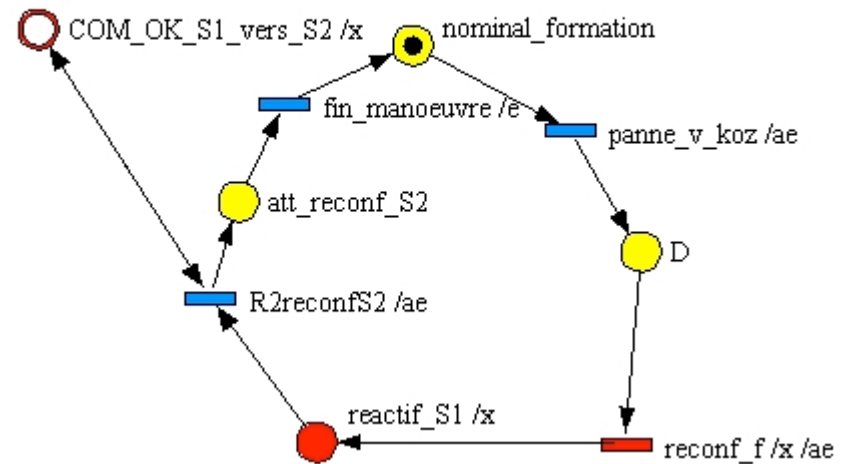
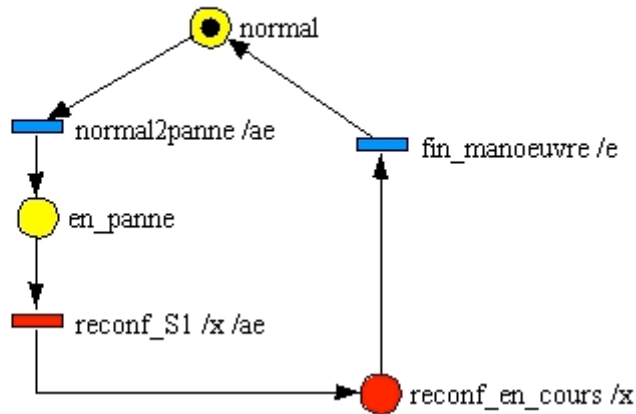
nature' = manoeuvre
reconfig = \emptyset
reconfig' $\neq \emptyset$



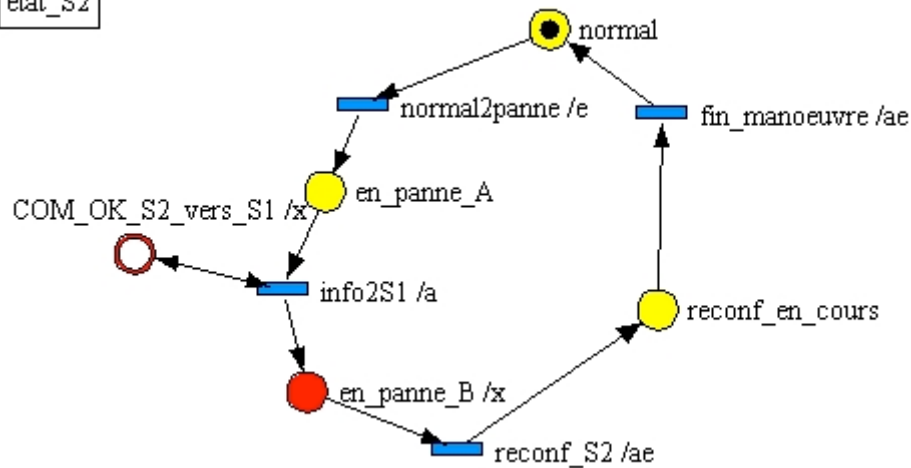
Simbol-X specification using Z and ProCoSA

etat_S1

FDIR_S1

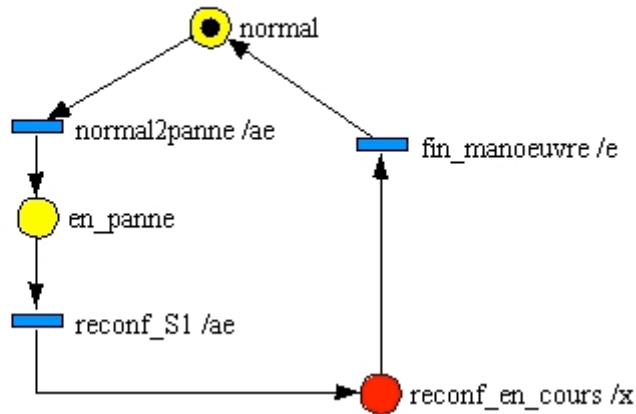


etat_S2

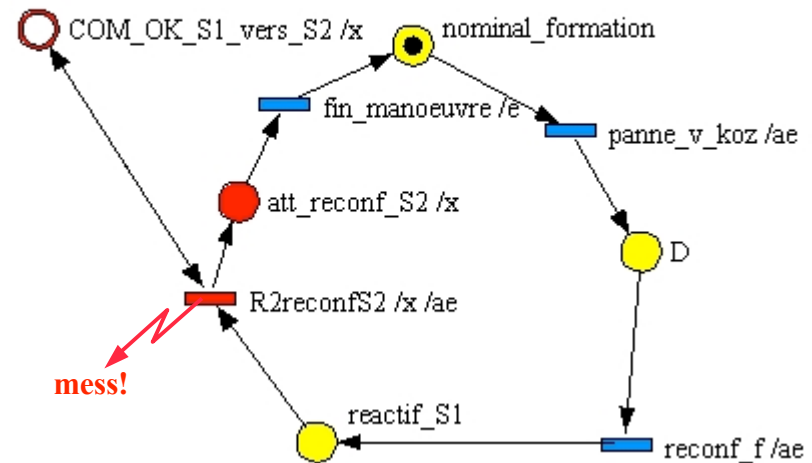


Simbol-X specification using Z and ProCoSA

etat_S1

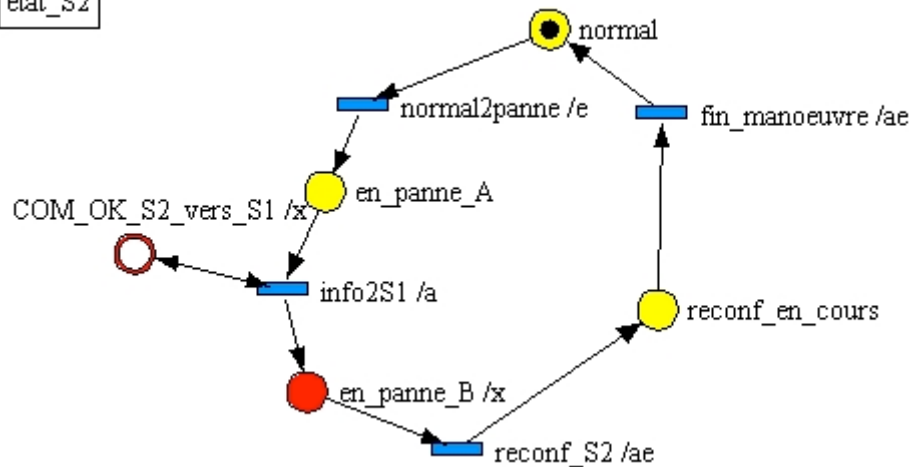


FDIR_S1



$RECONF_S2 \hat{=} [mess! : MESSAGE \mid mess! = messreconf \wedge mess! = messmanoeuvre]$

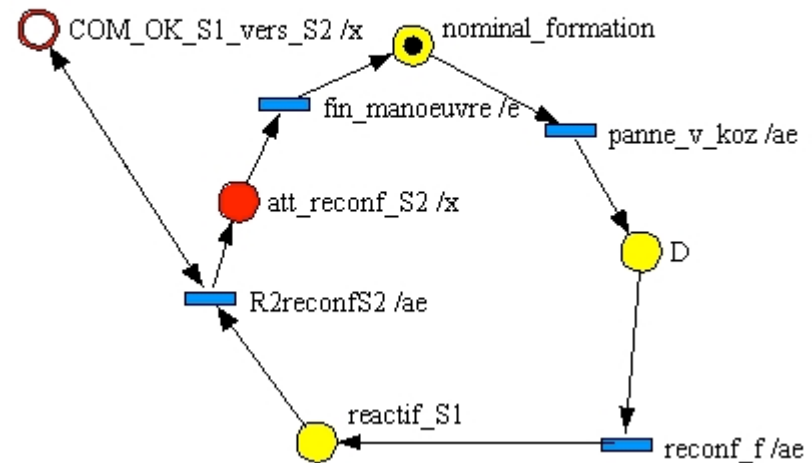
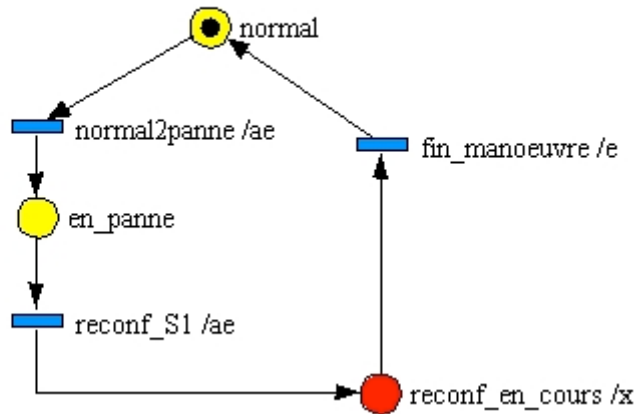
etat_S2



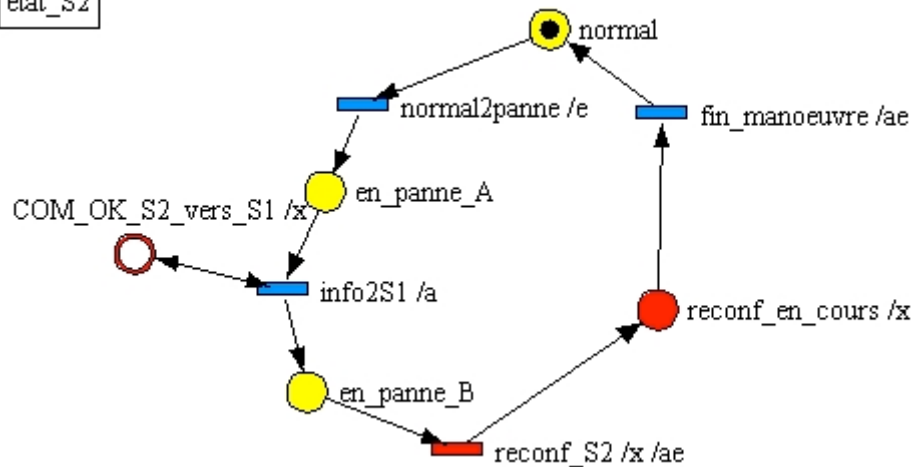
Simbol-X specification using Z and ProCoSA

etat_S1

FDIR_S1



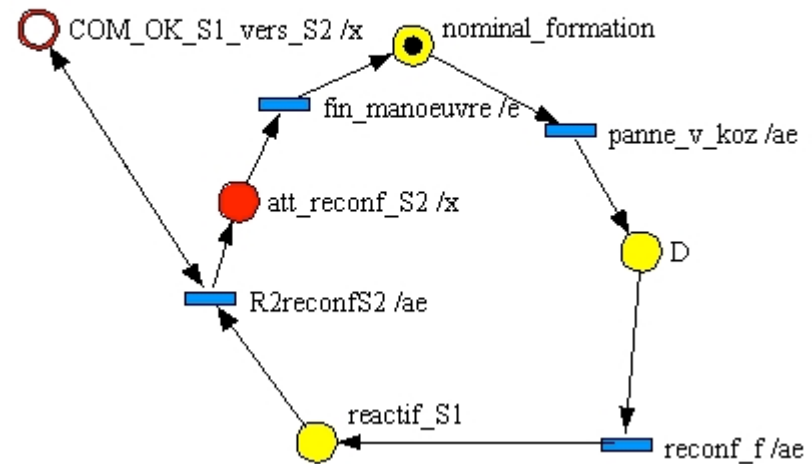
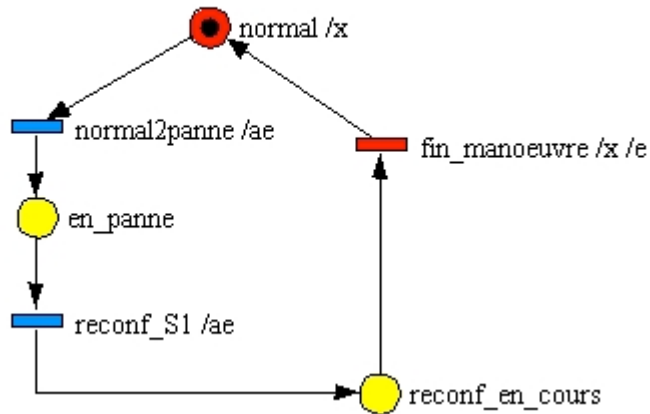
etat_S2



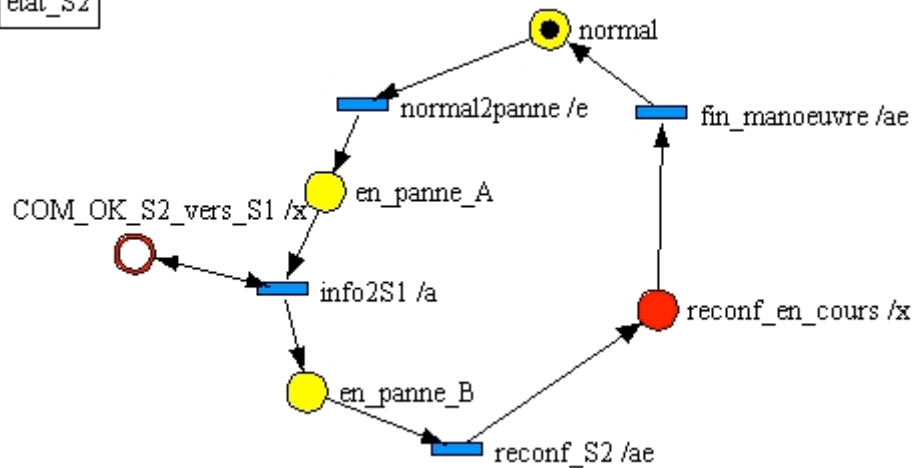
Simbol-X specification using Z and ProCoSA

etat_S1

DIR_S1



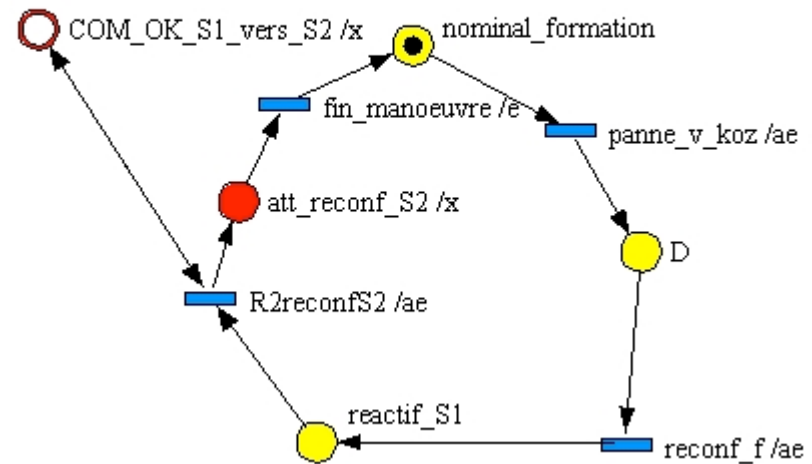
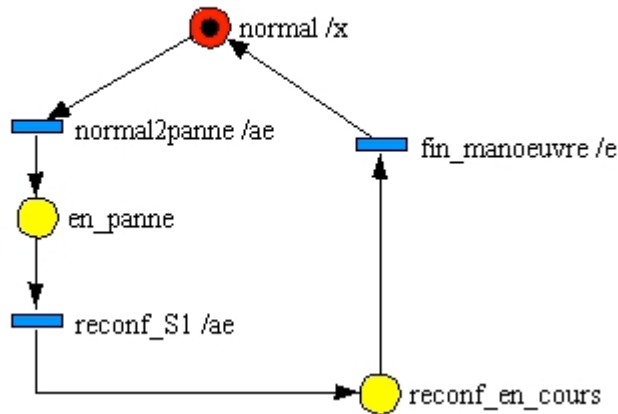
etat_S2



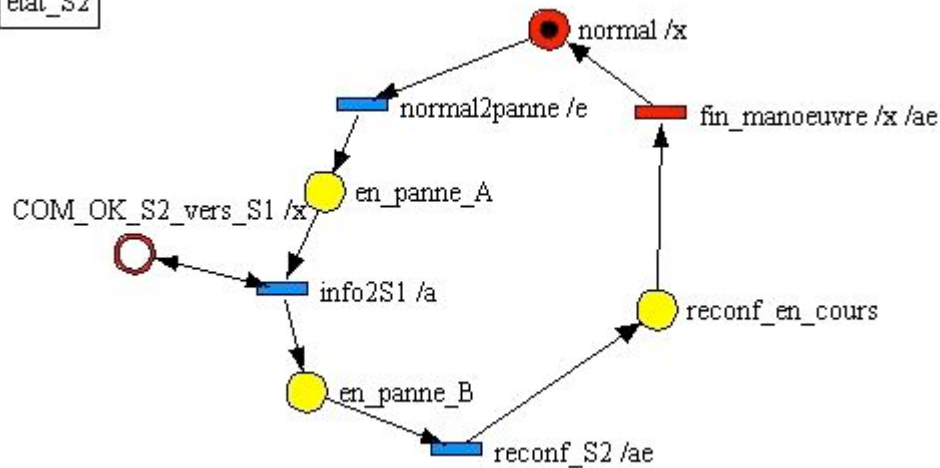
Simbol-X specification using Z and ProCoSA

etat_S1

FDIR_S1

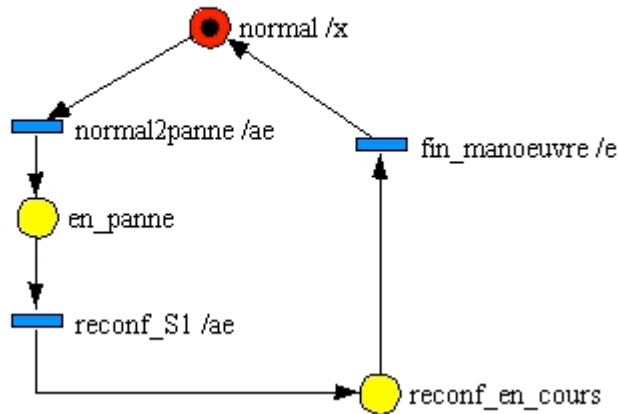


etat_S2

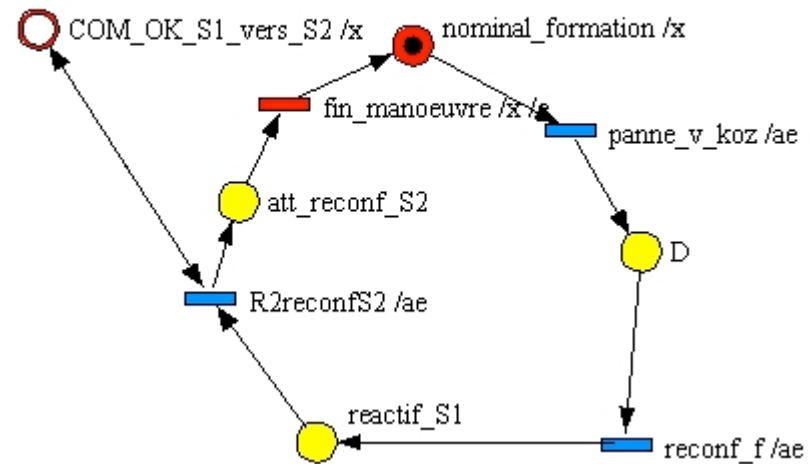


Symbol-X specification using Z and ProCoSA

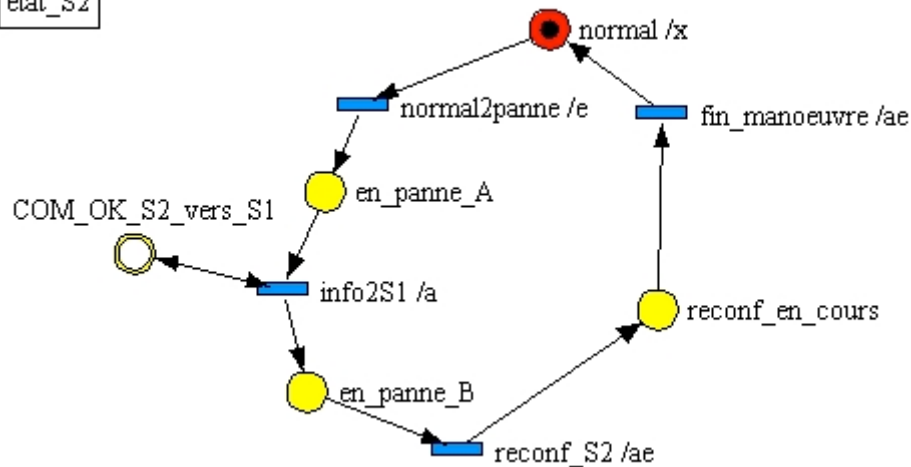
etat_S1



FDIR_S1



etat_S2



FIN_MANOEUVRE

\exists SIMBOLX
 Δ FORMATION

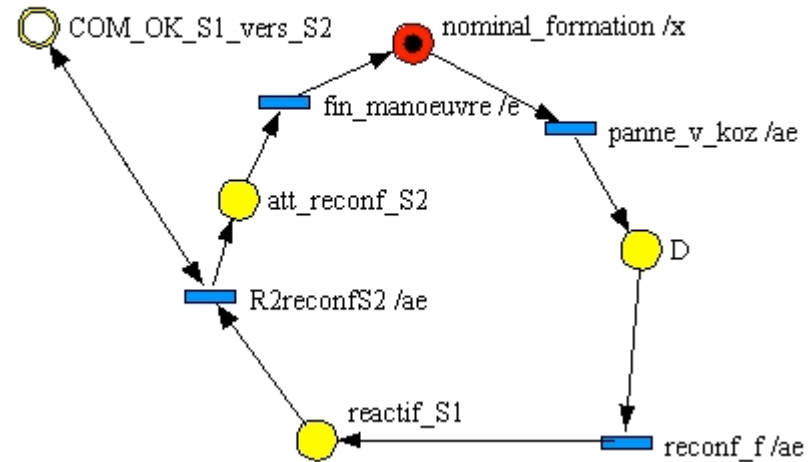
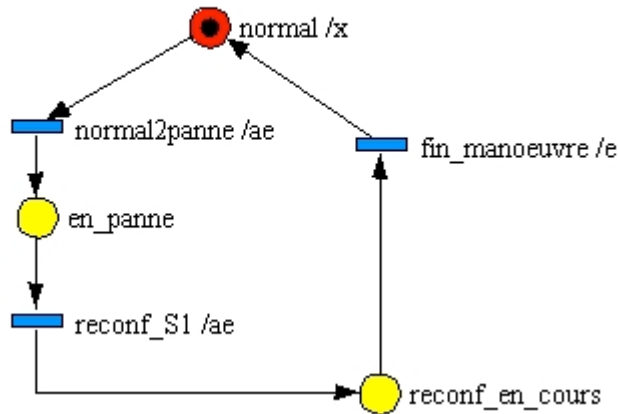
status_vkoz = *en_panne*
status_vkoz' = *normal*
 $(sat1, sat2) \in \text{dom distance}$
 $distance(sat1, sat2) \leq sat1.koz + sat2.koz$
 $distance'(sat1, sat2) > sat1.koz + sat2.koz$



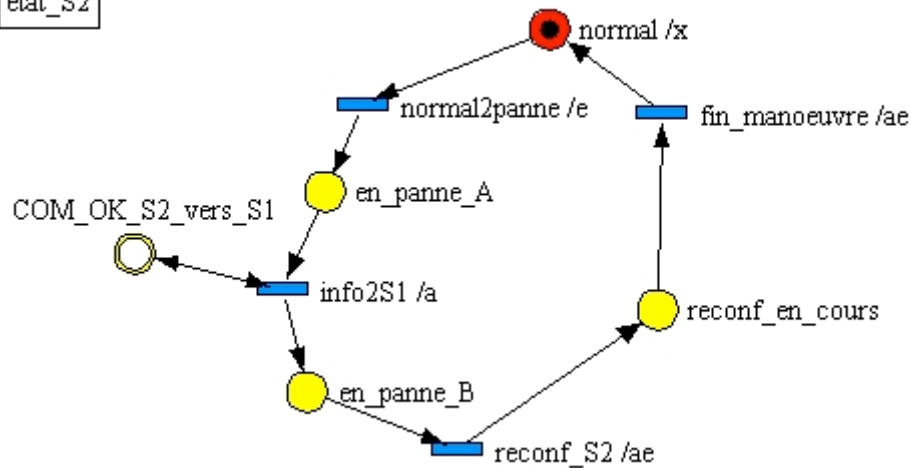
Simbol-X specification using Z and ProCoSA

etat_S1

FDIR_S1



etat_S2



Conclusion

- Linking Z and ProCoSA in a formal specification:
 - Z : the formal data-oriented aspect
 - ProCoSA : dynamic aspects , sequences of the state variations
- Benefits:
 - better understanding of the formation behaviour
 - clearer communication between project actors
 - validation of some requirements



Future work

- Implement a hybrid simulation with discrete and continuous state variables
- Refine the simulation
 - state duration, delay, concurrence
- Define a formal methodology combining Z and Petri net specifications

