# A Novel Embedding Technique for Dirty Paper Trellis Codes Watermarking

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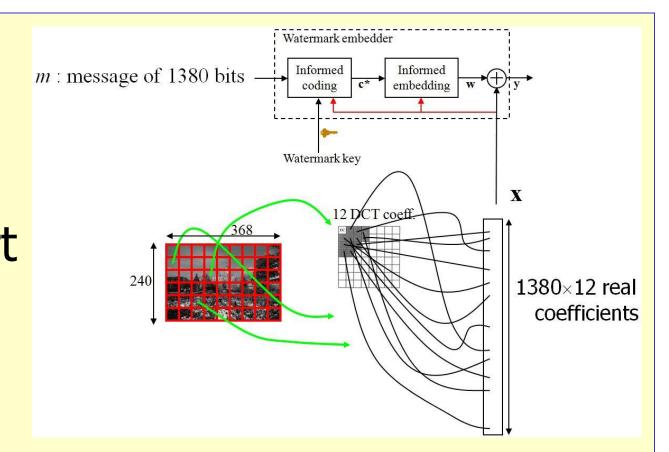
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## Few words about Dirty Paper Trellis Codes (DPTC):

#### The original DPTC algorithm [1]:

- → Security weakness (Kerckhoffs's framework).
  Code book estimable on a simplified version [2].
- → High computational complexity of the Embedding part Lin *et al.* [3] solution is not enough satisfying in term of robustness-distortion tradeoff.
- → DCT artifacts.

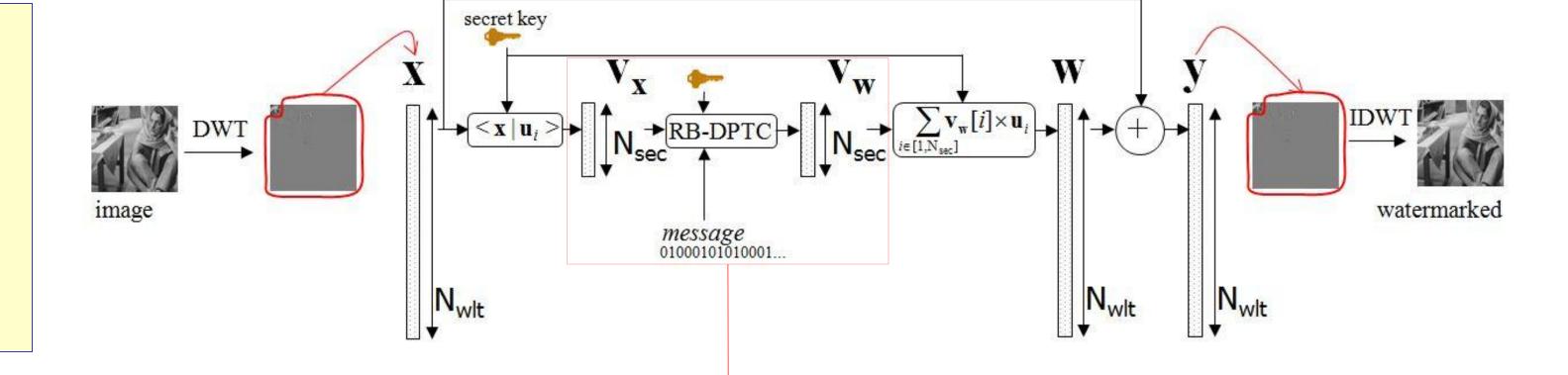


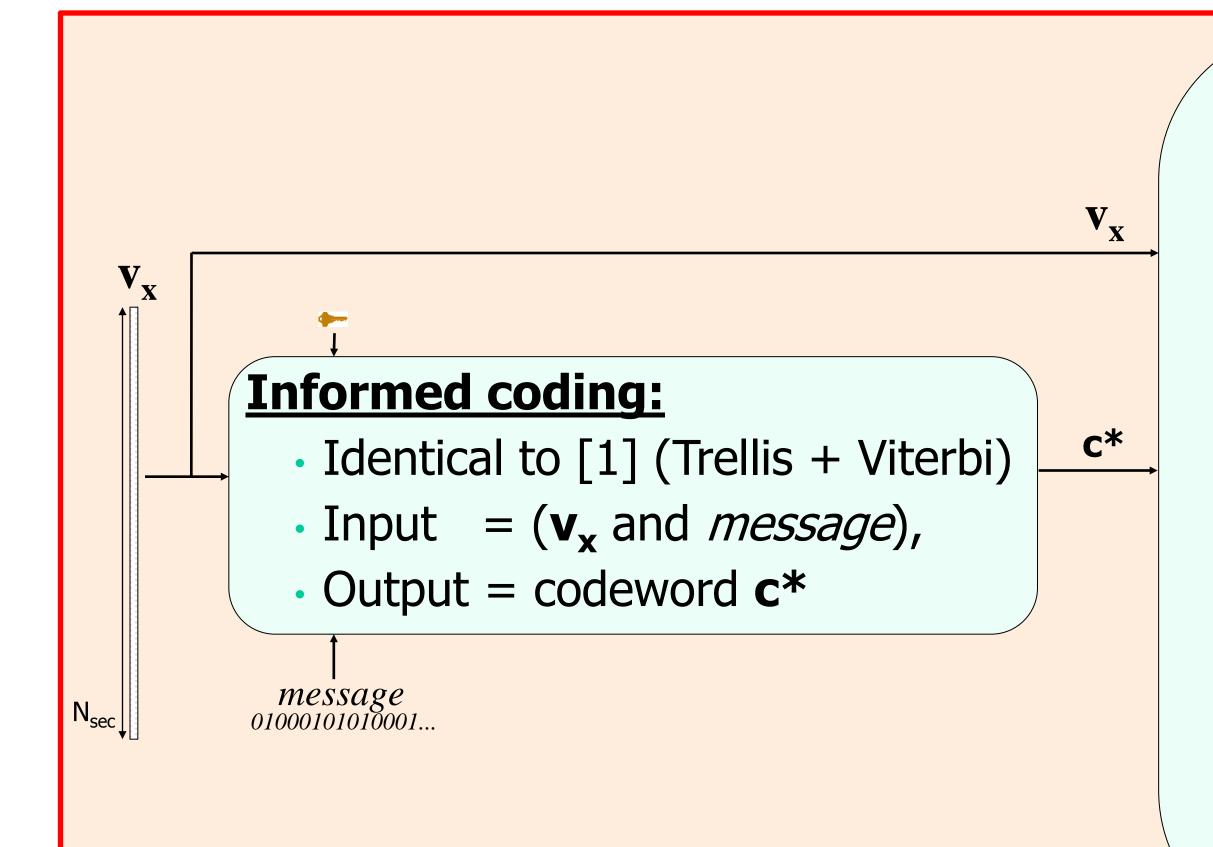
- [1] "Applying Informed Coding and Informed Embedding to Design a Robust, High Capacity Watermark", Miller, Doërr, and Cox, IEEE TIP 2004.
- [2] "Evaluation of an Optimal Watermark Tampering Attack Against Dirty Paper Trellis Schemes", Bas and Doërr, MM&Sec'2008.
- [3] "An Efficient Algorithm for Informed Embedding of Dirty Paper Trellis Codes for Watermarking", Lin, Cox, Doërr, and Miller, ICIP'2005.
- [4] "Fast Embedding Technique For Dirty Paper Trellis Watermarking",
- Chaumont, IWDW'2009.
  [5] "Broken Arrows", Furon and Bas, EURASIP Journal on Information Security, 2008.
- [6] "Psychovisual Rotation-based DPTC Watermarking Scheme", Chaumont, EUSIPCO'2009.

#### **Rotation-based DPTC:**

#### **Our RB-DPTC algorithm:**

- → Use of a secret space [4] (projection onto secret carriers as in Broken Arrows algorithm [5]).
- → Use of a fast embedding approach (rotation-based).
- → Embedding in the wavelet domain.





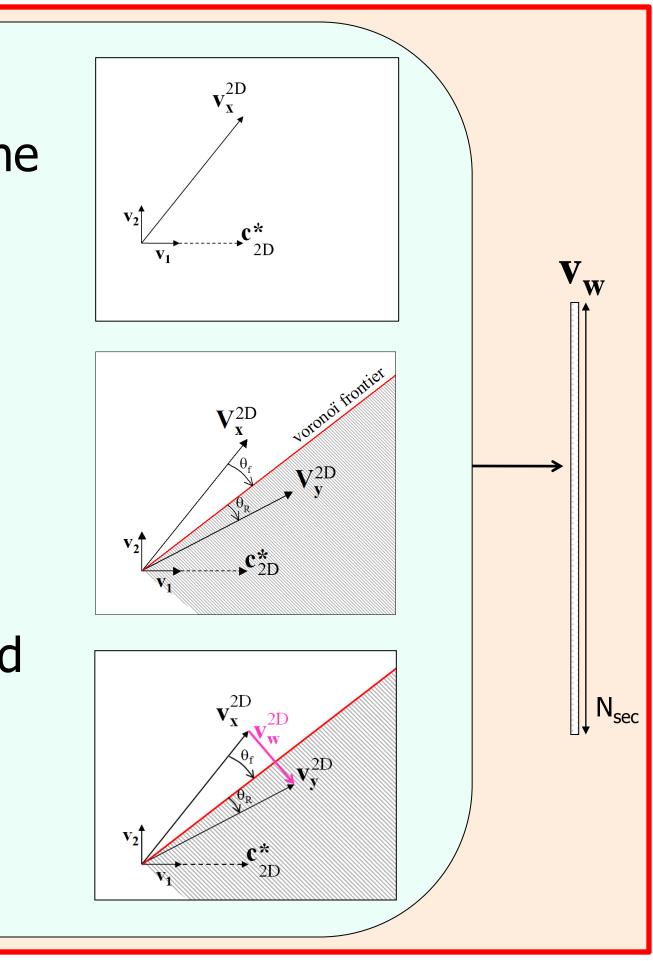
#### **Informed embedding:**

1. Compute the "Miller, Cox, Bloom plane" i.e. the orthonormalized base (v1, v2):

$$\mathbf{v_1} = \frac{\mathbf{c}^*}{||\mathbf{c}^*||} \quad \mathbf{v_2} = \frac{\mathbf{v_x} - (\mathbf{v_x}.\mathbf{v_1})\mathbf{v_1}}{||\mathbf{v_x} - (\mathbf{v_x}.\mathbf{v_1})\mathbf{v_1}||}$$

- Obtain a **Voronoï frontier** (angle  $\theta_f$ ) by an iterative dichotomous approach.
- **Rotate v**<sub>x</sub> in the "Miller, Cox, Bloom plane" and penetrate inside the Voronoï region of an oriented angle equals to  $\max(\theta_f + \theta_R, (\widehat{\mathbf{v}_{\mathbf{x}}}, \widehat{\mathbf{c}^*}))$ .

Then  $\mathbf{v}_{\mathbf{w}} = \mathbf{v}_{\mathbf{v}} - \mathbf{v}_{\mathbf{x}}$ 



#### **Results and Conclusions:**

#### **Evaluation Protocol:**

100 images 256×256 from BOWS-2 data-base.

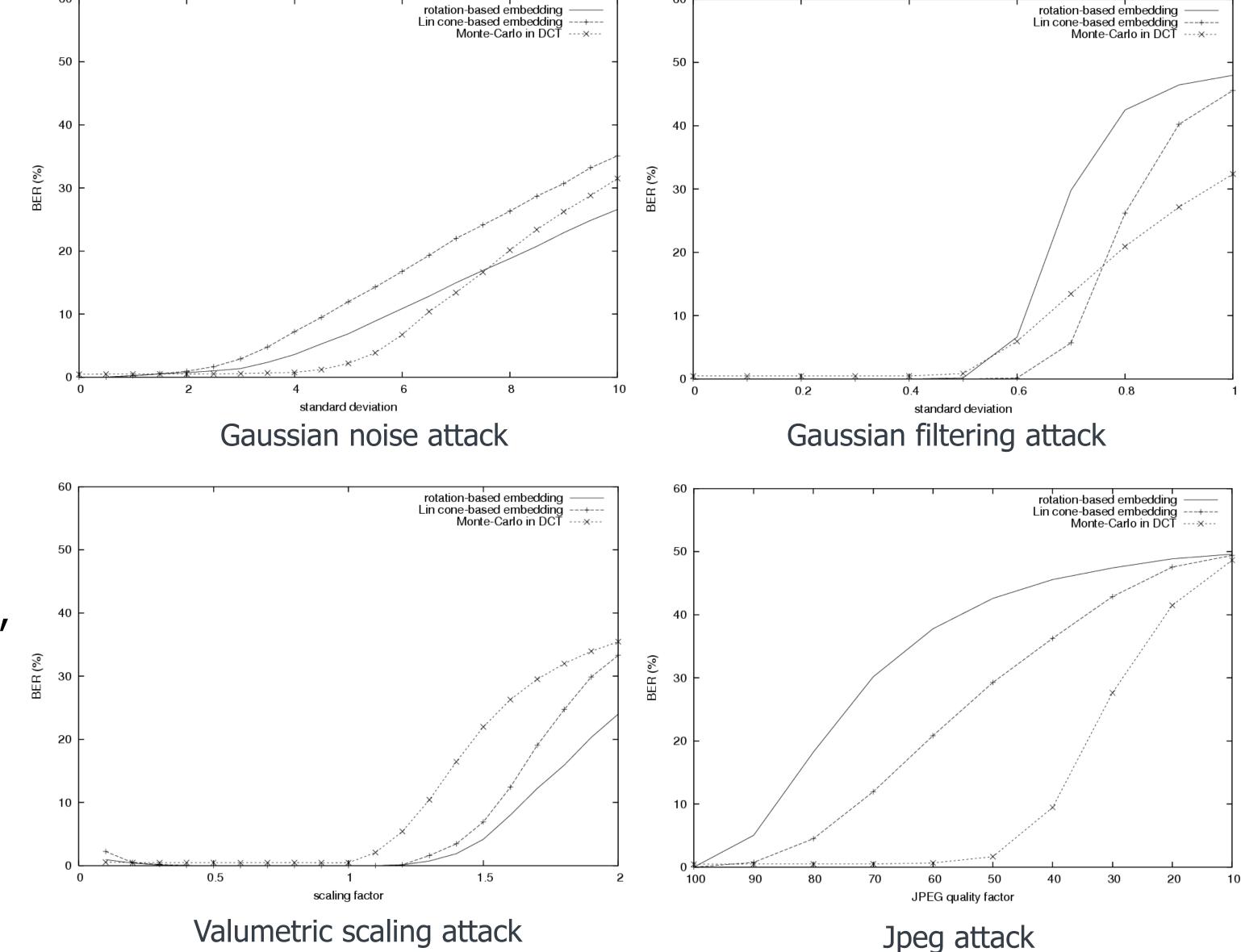
Payload = 1 bit embedded in 64 pixels = 1024 bits.

Trellis: Output arc labels = Gaussian distribution,

Number of labels by output arc = 12.

# Three competing algorithms (average embedding PSNR = 42.4 dB):

- Original DPTC (Monte-Carlo in DCT- 64 states, 64 arcs/state),
- RB-DPTC (rotation-based wavelet 128 states, 128 arcs/state),
- Lin cone-based (wavelet 128 states, 128 arcs/state),
- average PSNR = 34.2 dB!



### Conclusion:

- Secret space owning good properties psychovisual, channel, super-robustness;
- Good rotation-based embedding strategy
  - low computational complexity,
  - good robustness-distortion tradeoff,
  - as secure as the original DPTC;
- Good performances (except against jpeg attack)

# Tackled problems:

- Computational projections complexity [4],
- Psychovisual space [6].

# Open problems:

- Robustness to jpeg,
- Robustness to Westfeld regression attack,
- Security analysis,

- Relation between SSIM and penetration angle,
- Robust psychovisual mask,
- Comparison with quantized approaches, ...