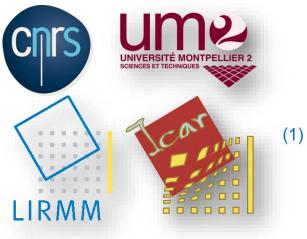
Automatic segmentation of 3D high-resolution images by deformable models



Gérard SUBSOL1Image: Constraint of the second stateBenjamin GILLES1Image: Constraint of the second stateGilles GESQUIERE2Image: Constraint of the second stateJosé BRAGA3,4Image: Constraint of the second state





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(4)

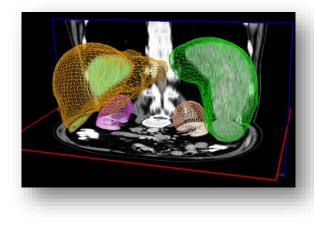


This research is supported by the French Center for Scientific Research (PICS INLOO project).

Motivations

Segmentation (e.g. delineating a Region of Interest) is a **major challenge** in 3D image processing.

- Manual method: delineate slice after slice
 - > Tedious task (especially for huge data as μ -CT);
 - > Operator-dependent.
- Automatic methods:
 - Often based on low-level processing (e.g. thresholding);
 - But becomes very complex when:
 - poor contrast;
 - fuzzy boundaries (artefact, fractured parts...)
- → Idea: use some knowledge on the shape to guide segmentation:
 - Shape regularity (e.g. smooth);
 - Shape characterization;
 - Shape + variability characterization.





\rightarrow 3D deformable model

Principle of 3D deformable models

- Take a reference 3D mesh of the structure;
- Define :
 - > External constraints: "attraction" by features in the 3D image (e.g. image discontinuities);
 - Internal constraints: keeping the shape regular or close to a specific shape (up to some specific variability).
- Deform iteratively the 3D mesh in the 3D image w.r.t. both constraints.

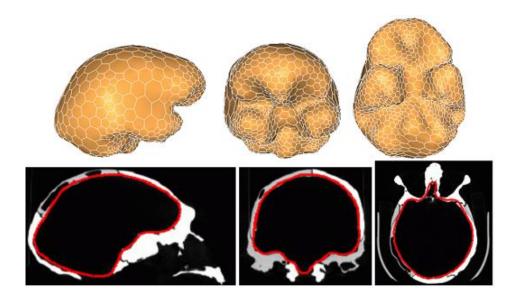
[C. Xu, D. L. Pham, and J. L. Prince, "Medical Image Segmentation Using Deformable Models," Handbook of Medical Imaging -- Volume 2: Medical Image Processing and Analysis, pp. 129-174, edited by J.M. Fitzpatrick and M. Sonka, SPIE Press, May 2000]

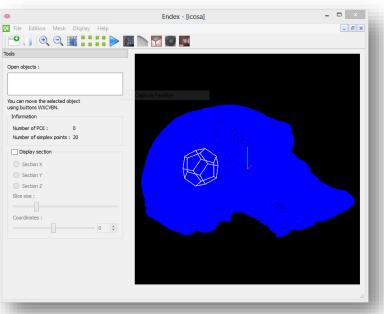
 \rightarrow 2 examples with different implementations

[T. McInerney T, D. Terzopoulos. "Deformable models in medical image analysis: a survey". Med Image Anal. 1996 Jun;1(2):91-108]

Example 1 : segmenting endocranium in CT images

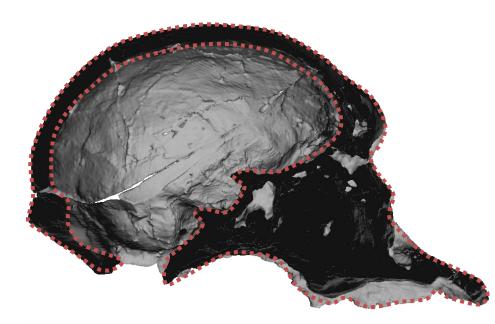
- Endocranium = inner part of the skull:
 - \rightarrow Gives a 3D rough representation of the brain shape;
 - \rightarrow Great interest, in particular in paleo-anthropology.
- Skull in CT image: good contrast.... but non-closed structure
 → boundaries are non always defined.



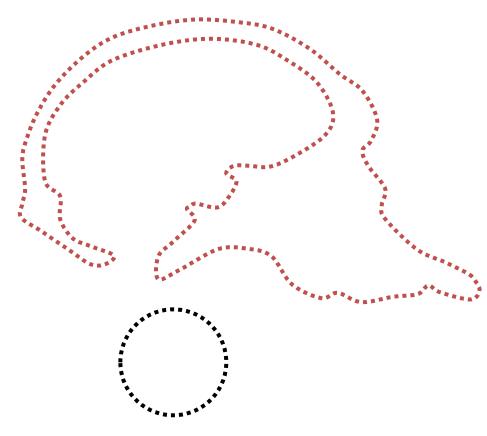


http://www.lsis.org/endex/

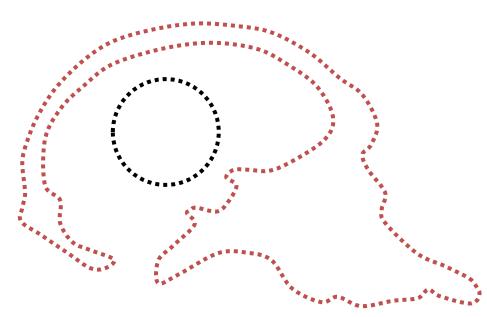
• Features = skull surface (e.g. by thresholding)



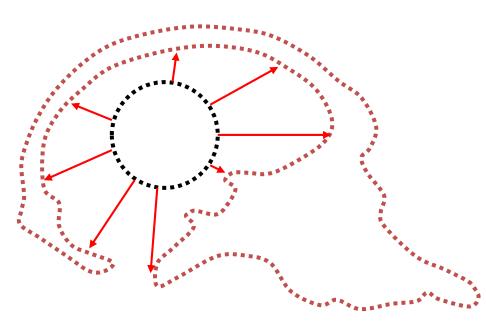
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- Let a simple closed surface mesh composed of 3D vertices Pi (e.g. a sphere)



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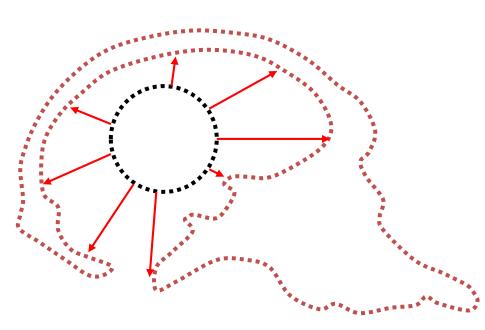


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- Let a simple closed surface mesh composed of 3D vertices Pi (e.g. a sphere)
- The surface mesh is initially positioned "in the middle" of the data
- This surface will deform under the influence of:
 - an external force Fext which attracts the vertices Pi towards the data
 - an internal force Fint which tends to keep the surface smooth (e.g. curvature continuity)



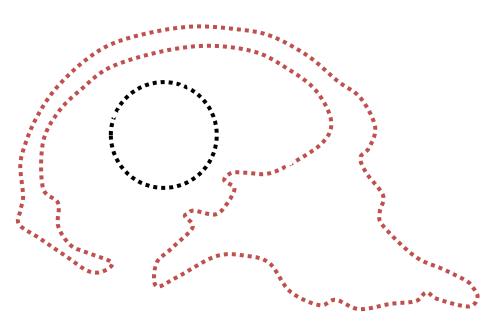
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- At time t, all the vertices Pi follow the evolution law:

$$P_i^{t+1} = P_i^t + (1-\gamma)(P_i^t - P_i^{t-1}) + \alpha_i \mathbf{F}_{int} + \beta_i \mathbf{F}_{ext}$$



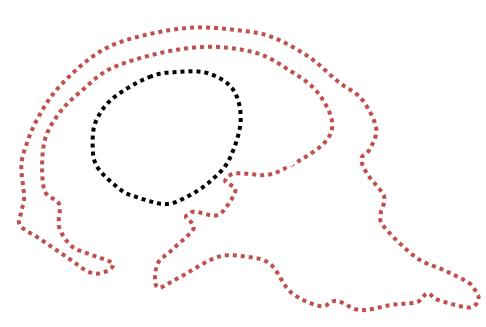
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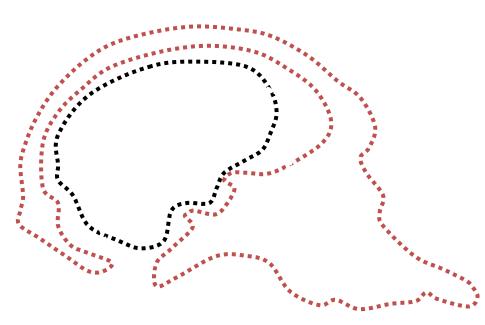
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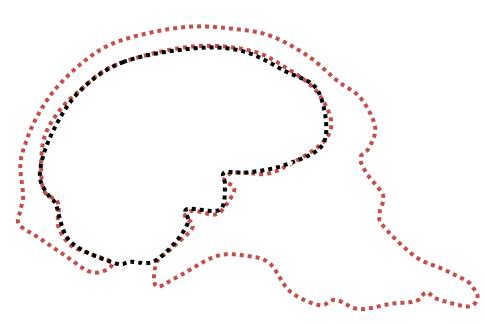
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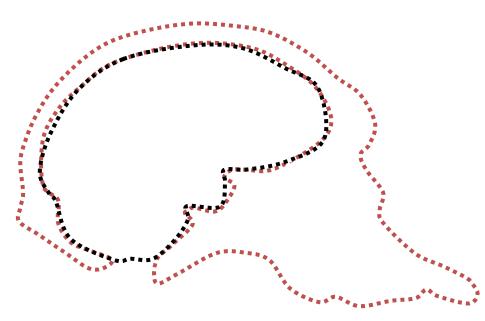
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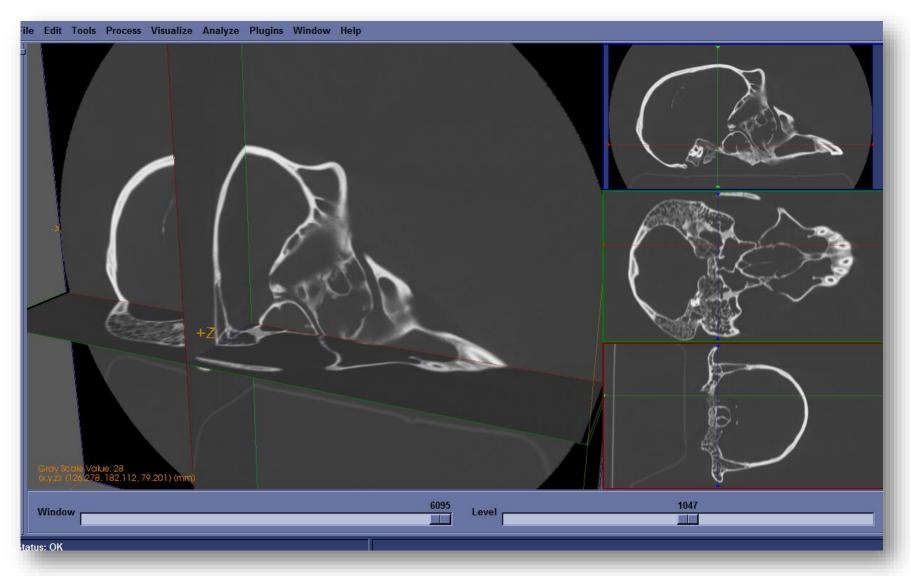
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- Iterate the process until the vertices Pi do not move anymore.
- Eventually, add more vertices in the mesh when the distance between the existing vertices becomes too large in order to recover the details.



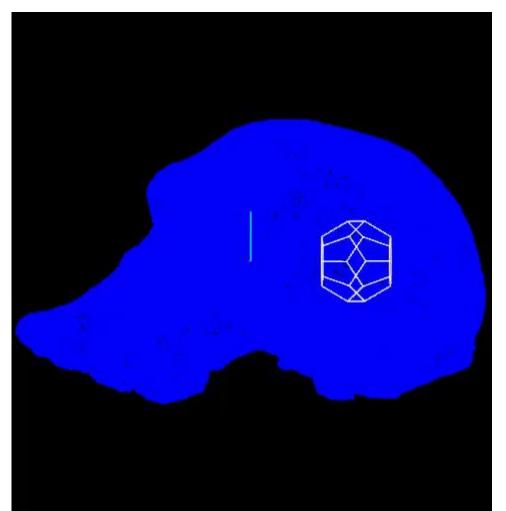
Pan troglodytes

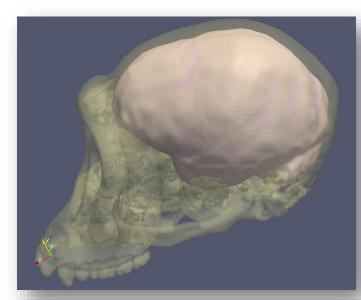
- CT-Scan of a skull: 209 slices of 512×512 pixels
- Resolution: 0.461 \times 0.461 \times 0.600mm

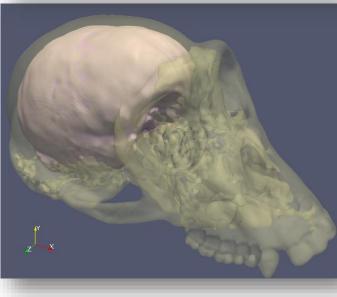


Pan troglodytes

- Manual localization of the initial deformable surface;
- No more user interaction;
- Fast process (real-time video)
- Result mesh: 398,942 vertices / 797,880 faces





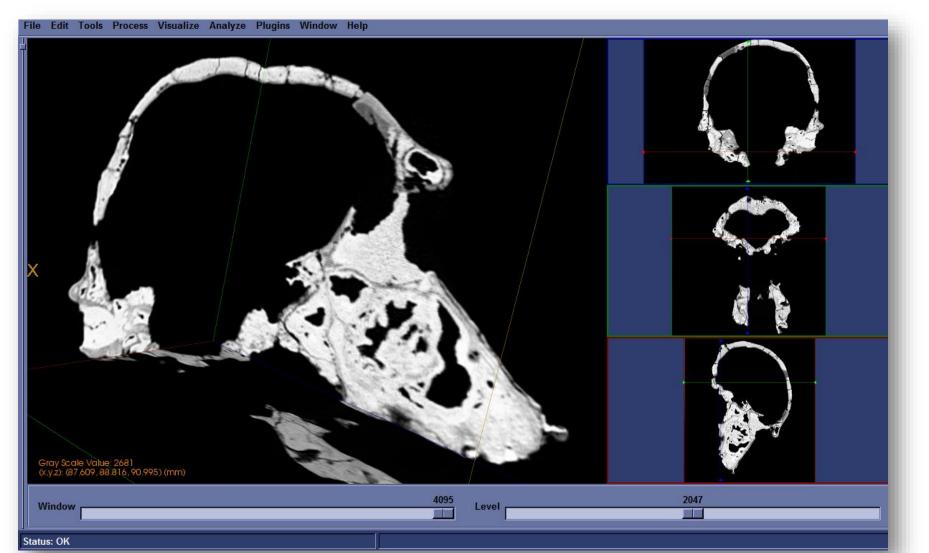


Australopithecus africanus STS5

- CT-Scan of the fossil: 998 slices of 512 \times 512 pixels
- Resolution: 0.348 \times 0.348 \times 0.200 mm

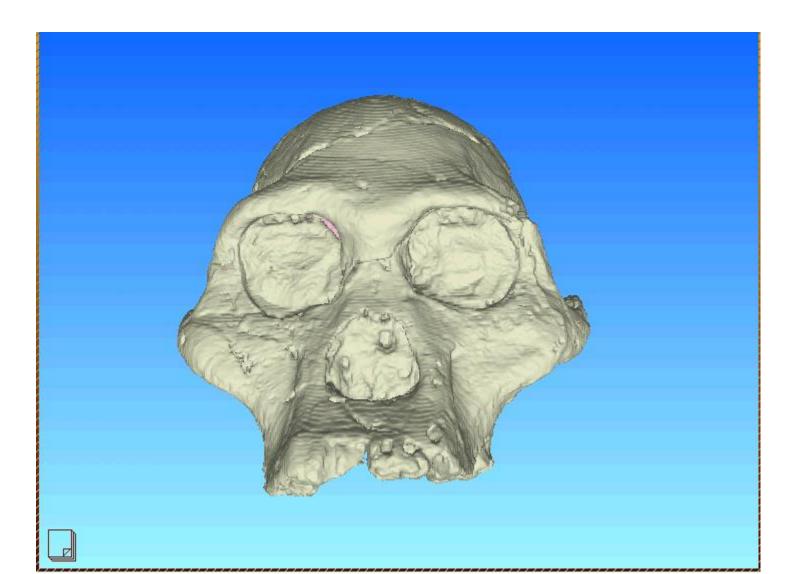


Thanks to S. Potze and Prof. F. Thackeray for providing data.

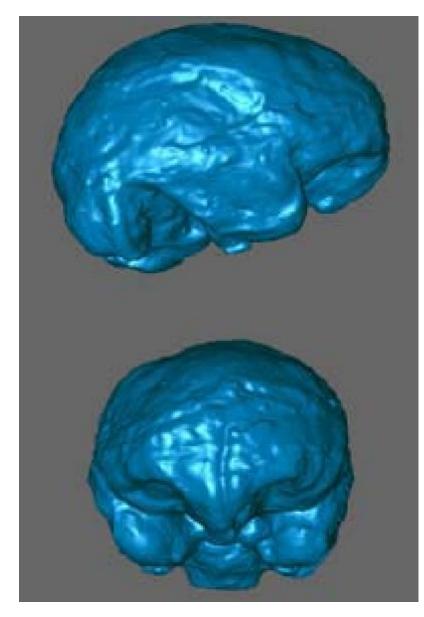


Australopithecus africanus STS5

• Result mesh: 401,960 vertices / 803,916 faces

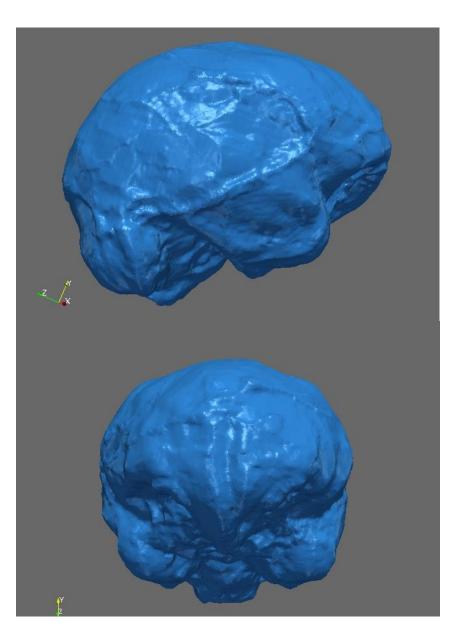


[D. Falk et al. "The Brain of LB1, Homo floresiensis". Science, 308, 242 (2005)] (473 cm3).



Australopithecus africanus STS5

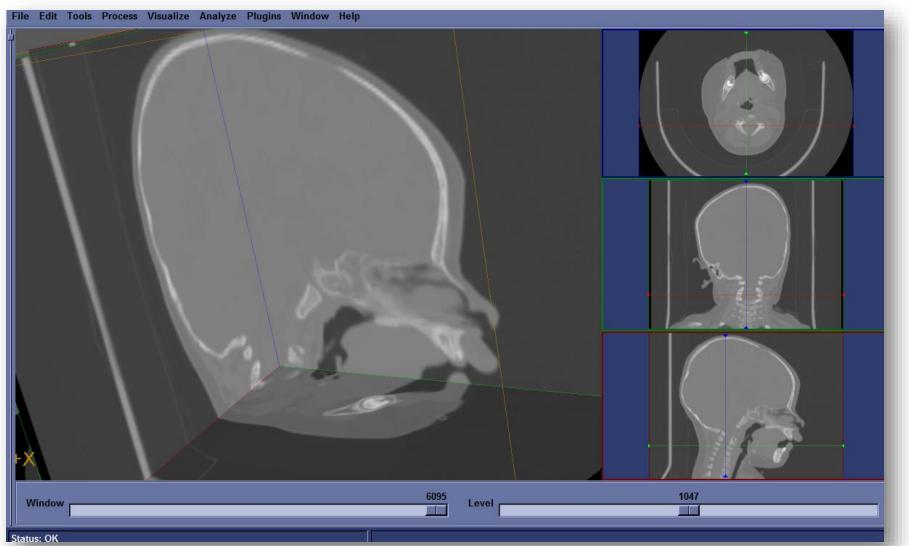
Our segmentation (476 cm3)



In-vivo data

- CT-Scan of the head of a child affected by a plagiocephaly (asymmetrical distortion of the skull): 153 slices of 512×512 pixels

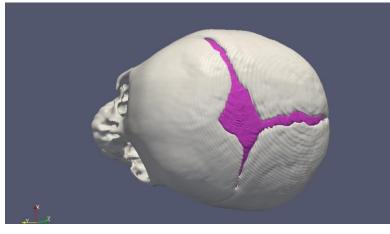
• Resolution: $0.488 \times 0.488 \times 1.250$ mm

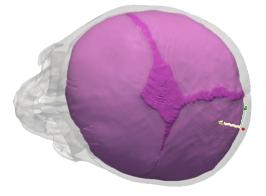


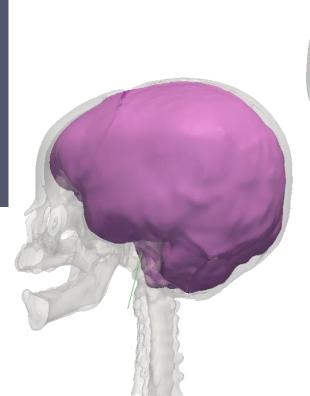
In-vivo data

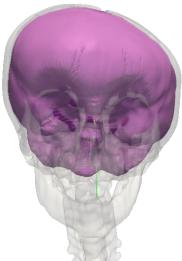
- Manage automatically the fontanels;
- Result mesh: 364,721 vertices / 729,438 faces;
- Could be useful to analyze the 3D deformation of the endocranium and of the skull base.





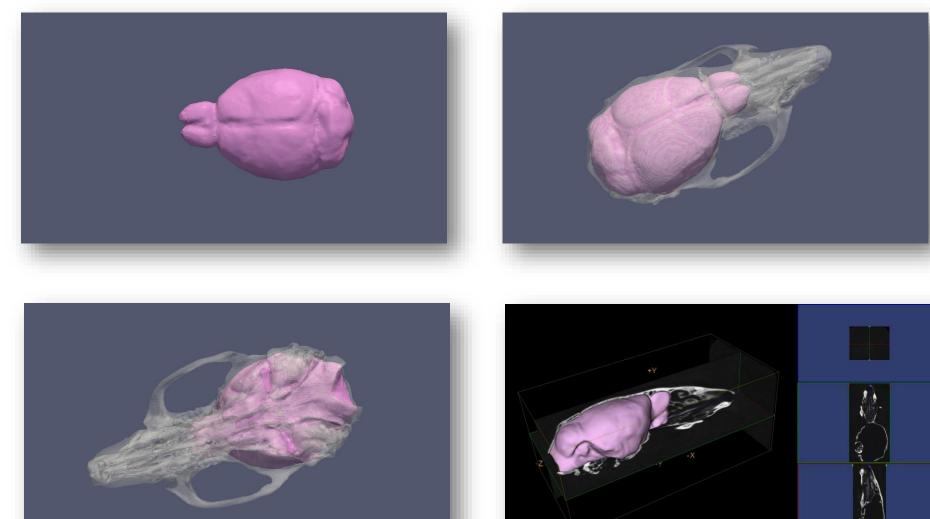






µ-CT data

- $\mu\text{-}CT\text{-}Scan$ of a mouse: 603 slices of 329 \times 274 pixels / 0.0386 \times 0.0386 \times 0.0415 mm
- Application in biomedical research (genetically modified mouse)



Example 2: computer-aided recognition

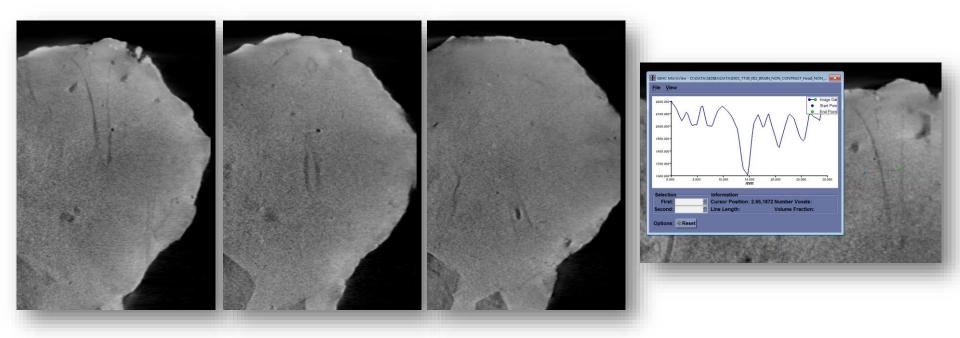
CT-Scan of a potential fossil-bearing block (512×512×1,139 voxels, 0.9766×0.9766×0.5 mm)..

Poor contrasted CT image with many artefacts \rightarrow *unclear boundaries*



Thanks to Prof. Lee Burger for providing data.

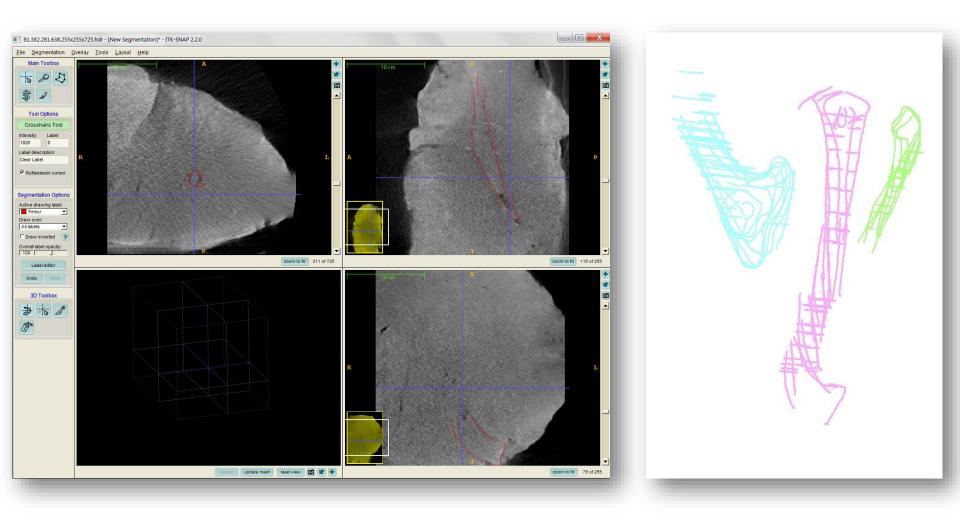
See also "Virtual preparation of fossil bones from Cave deposit in the Cradle of Humankind" presented by Aurore Val yesterday.



Example 2: computer-aided recognition

\rightarrow Try to identify the bone:

Define manually some features in the 3D image (<5 mn);</p>



Example 2: computer-aided recognition

Use a 3D deformable surface of a given anatomical structure to fit features;

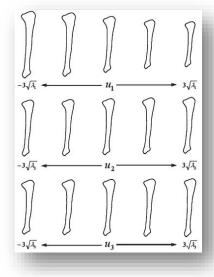
Shape characterization will be too limited in this case \rightarrow Shape + variability characterization.

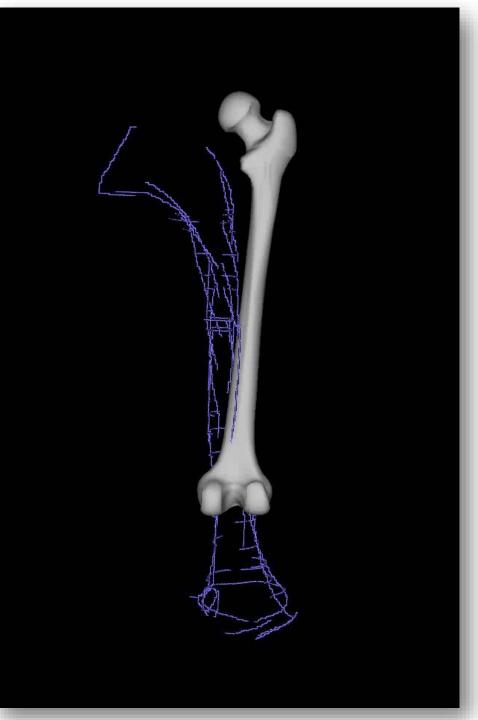
- 1. Creation of an average + variability model:
- Database of 3D meshes of the given anatomical structure;
- Register all the 3D meshes on a reference one;
- Compute an average 3D mesh by averaging vertex positions;
- Principal Component Analysis of all the differences w.r.t. to the average 3D mesh
 - \rightarrow Principal modes of variation and their variances.
- 2. Using the deformable surface
- For each vertex of the 3D average mesh, find the closest feature;
- All correspondences \rightarrow 3D transformation;
- Project this transformation on the *n* first principal modes

 \rightarrow New transformation which takes into account the variability around the average shape.

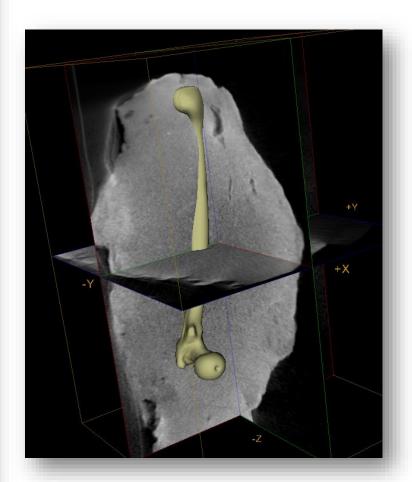
- Apply this transformation;
- Increase *n* in order to get a more detailed transformation;
- Iterate until it converges.

B. Gilles, L. Revéret, D.K. Pai. "Creating and animating subject-specific anatomical models", Computer Graphics Forum, 29(8), pp 2340-2351, 2010.



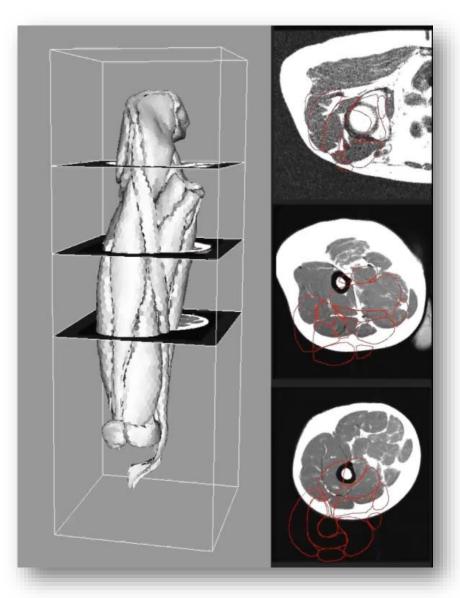


- Assess the result in the 3D image.
- If not, take the model of another anatomical structure.



Conclusions

- Deformable models can be used for segmentation in many applications in 3D imaging (e.g. segmentation of thigh muscles in MR images);
- May give good results if the shape is smooth or can be characterized;
- Very interested to collaborate on this topic (palaeoanthropology, medicine, geology...?);
- Some software is freely available for testing in specific applications (http://www.lsis.org/endex/).



B. Gilles, L. Revéret, D.K. Pai. "Creating and animating subject-specific anatomical models", Computer Graphics Forum, 29(8), pp 2340-2351, 2010.

Thank you for your attention.