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Sampling the 3I objects

3D mesh coding Problem statement

The semi-regular remeshing

Coding the meshes

Visualization of massive meshes

Discussion and challenges

Multiresolution coding of 3D meshes

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Laboratoire I3S MULTIMEDIA IMAGE CODING AND PROCESSING GROUP

Université de Nice-Sophia Antipolis - CNRS

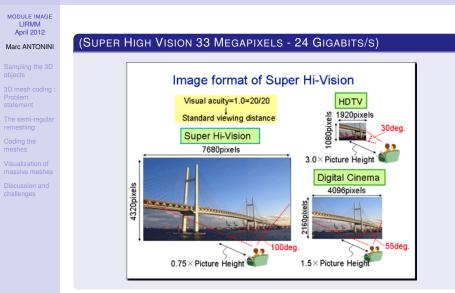


From TV to HDTV...



- $\rightarrow\,$ Difficulties to overcome :
 - Picture quality degradation caused by the shortening of the relative viewing distance \rightarrow HDTV H264
 - How to make such a large screen \rightarrow flat-panel displays

... and beyond



Is there anything left to do in image coding?



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Fortunately YES !!

- Coding for storage
- Coding for transmission in low bandwidth networks
- Coding for visualization and manipulation
 - ightarrow Data bus seen as a low bandwidth transmission channel
 - ightarrow Push compressed data to the graphic card GPU processing

Is there anything left to do in image coding?

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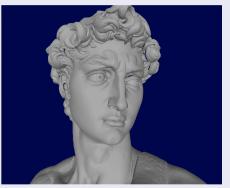
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From massive to out-of-core data... With billions of faces !



[Rendering of the 940 millions faces done by I3S lab]



(MICHELANGELO PROJECT - DAVID 940 MILLIONS FACES, FILE SIZE > 20 GBYTES)

Is there anything left to do in image coding?

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From 2D to 3D high resolution rendering



Autostereoscopic screen

Shutter glasses

 \rightarrow Experts in human perception are raising concerns that stereo 3D TVs could cause eye strain and related health problems.

The applications

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[Online] Gaming On PC Performance for HighRes 3D models, Smaller size of datasets Network and buses transfer rate





Medical and Seismic Lets build huge datasets from volume images



[Online] Embedded Gaming Performance for quality 3D models on restricted hardware Network and buses transfer rate



Virtual Mockup Lets build huge datasets from Huge CAD/CAM assemblies



CAD/CAM and Design For storage and transfer of datasets



DCC and Production Brings new capabilities on modelers



Tele conferencing

Transport realistic clones on traditional networks

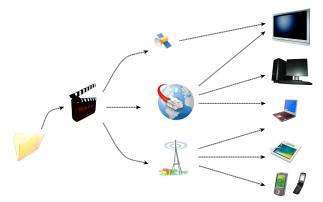
Required functionality : the scalability



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Different clients, different channels, ONE mesh or animation file



Scalability

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Different kinds of scalability

- Resolution (spatial or temporal)
- Rate
- Quality
- Complexity
- Region of interest (ROI)
- etc.

Support of scalability

- Usually causes
 - → Complexity increase
 - \rightarrow Performance drop
- Alternative : multiresolution and wavelet-based coders

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What is a surface mesh?

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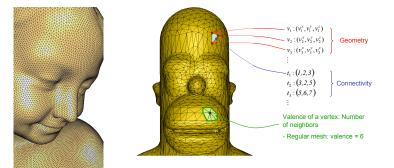
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A surface triangle mesh is composed by

- A geometry : the position of vertices in \mathbb{R}^3 (irregular sampling)
- A connectivity : the connections between the vertices



Constructing a mesh

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Sampling the 3D objects

Using a scanner

Laser scanning of real objects





Scanning for reverse engineering

Using a software

DCC [DIGITAL CONTENT CREATION]





CAD [COMPUTER AIDED DESIGN]

zation of ve meshes

Discussion and challenges

The sampling problem

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Obviously : respect the Shannon sampling theorem

Problem : Modulation Transfer Function (MTF) of the sensor generally unknown...

Up-sampling the 3D object

- \rightarrow Good representation of the real object
- \rightarrow No aliasing \rightarrow Shannon condition : $f_e \geq 2f_c$
- → Problem : huge volume of data !

Sub-sampling the 3D object

- $\rightarrow\,$ Coarse approximation of the object (implying to get more information such as curvature...)
- ightarrow Small amount of data
- → Problem : aliasing (frequencies greater than Nyquist frequency)

A anti-aliasing sampling solution

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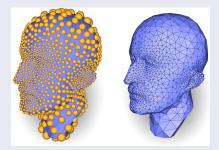
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Discussion and challenges

Find a tradeoff between up- and sub-sampling

Irregular sampling such as Poisson disk sampling
 → Dart throwing ^a



Dart Throwing (left) and mesh created from the points (right)

a. D. Cline, K. White, *Dart Throwing on Surfaces*, Eurographics Symposium on Rer dering 2009

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Discussion and challenges

State of the art

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Discussion and challenges

Single rate compression (Lossless)

- No asumption on the mesh
- Specialized for massive datasets which cannot fit entirely into memory
- Encoding of connectivity (e.g. Touma-Gotsman, topological surgery, Edgebreaker) or based on remeshing (e.g. geometry images)



Progressive compression (Lossy to lossless)



State of the art : Progressive compression

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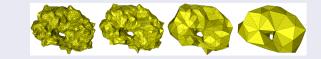
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Discussion and challenges

Two kinds of approaches

- Based on simplification/refinement (decimation, edge collapse, vertex split)
- Based on multiresolution analysis (wavelets)



Objective

Rate-distortion optimization between data size and approximation accuracy

Multiresolution for irregular meshes?



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Two options for computing the transform

Without connectivity modification

e.g. wavelet transform for irregular meshes (Valette, Prost 2004)

- A mesh is considered as one instance of the surface geometry
 - → REMESHING operation
 - \rightarrow Create regular and uniform geometry sampling
 - $\rightarrow\,$ Wavelet transform (DWT) for semi-regular meshes

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Discussion and challenges

Irregular meshes



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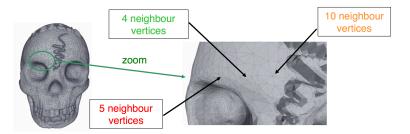
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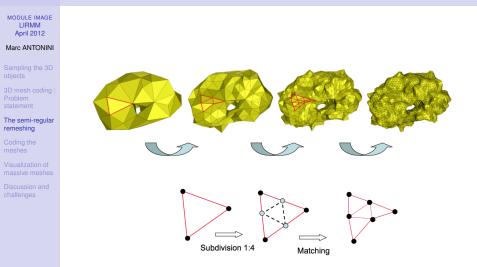
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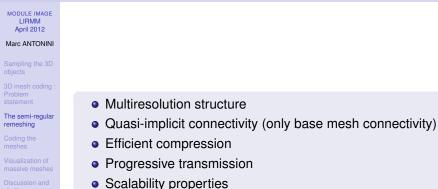
Discussion and challenges



The semi-regular mesh : a multiscale data



Advantages of semi-regularity



The most famous semi-regular remeshers

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Discussion and challenges

• MAPS [Lee et al (1998)]

- \rightarrow A coarse mesh containing geometry and connectivity
- \rightarrow N₁ sets of 3D details (ONLY geometry) (3 floating numbers)
- Normal meshes [Guskov et al 2000]
 - → A coarse mesh containing geometry and connectivity
 - $\rightarrow N_2$ sets of 3D details (ONLY geometry) (1 floating number, i.e., the normal to the surface)
 - → MORE COMPACT semi-regular representation
- Globally smooth parametrization (GSP) [Khodakovsky et al 2003]
- Variational normal meshes (VNM) [Khodakovsky et al 2004]
- TriReme [Guskov et al 2007]

$\rightarrow\,$ Methods based on 2D PARAMETERIZATION

The 2D parameterization of 3D meshes

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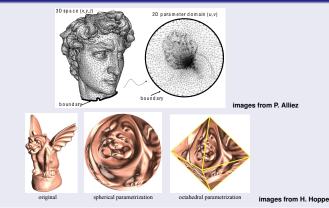
Visualization of massive meshes

Discussion and challenges

Definition

• Mapping from the surface of the 3D mesh to an isomorphic 2D flat surface

Examples



Remeshing using a 2D parameterization

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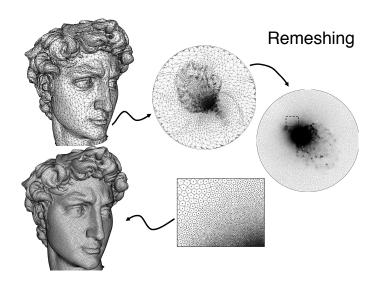
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The 2D parameterization of 3D meshes

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Discussion and challenges

Requirements (slide from P. Alliez and G. Gotsman)

- Bijective
- Minimal distortion
 - Preserve 3D angles
 - Preserve 3D distances
 - Preserve 3D areas
 - No 'strech'



A remeshing solution without parameterization

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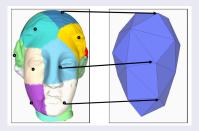
Discussion and challenges

I3S solution based on Lloyd relaxation

Main idea : Construct progressively a Voronoi partition of the irregular mesh geometry

Basic principle :

• Simplification step : Create a Voronoi tesselation of the irregular mesh with few regions



• Refinement step : Add semi-regular Voronoi seeds to refine the tesselation

Construction of a Voronoi tesselation

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Two optimal conditions :

Nearest neighbor condition

 \rightarrow The Voronoi tesselation of \mathbb{R}^n in *L* clusters R_k is given by

 $\boldsymbol{R}_k = \{\boldsymbol{v} \in \mathbb{R}^n / \boldsymbol{d}(\boldsymbol{v}, \boldsymbol{s}_k) \leq \boldsymbol{d}(\boldsymbol{s}, \boldsymbol{s}_j) \ \forall j \in \{1, 2, ..., L\}\}$

where d(u, v) stands for the geodesic distance^{*a*}

• The centroid (or mass center) condition

$$s_k = rac{\int_{R_k} v
ho(v) dv}{\int_{R_k}
ho(v) dv}$$

where $\rho(v)$ corresponds to the mass of v

a. Can be computed by Dijkstra algorithm

The Lloyd's relaxation

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Example of tessellation of \mathbb{R}^2





Dual : Delaunay triangulation

Tesselation of a surface mesh

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Use the geometry of the original mesh as input data

- Let S = {v_i, i = {0, 1, ..., N − 1}} be the set of vertices in ℝ³ of a irregular surface mesh.
 - $\rightarrow S$ is considered as the input data to be meshed
- The mass $\rho(v)$ is considered as the area of the dual cell of v



The mesh simplification

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Discussion and challenges

ldea

- Construct a Voronoi Tesselation with a small number of clusters
- Use the Lloyd's relaxation on the input data set S

Principle of the algorithm

- $\rightarrow\,$ Initial conditions :
 - Let V the desired number of vertices in the simplified mesh
 - Select V seeds (high curvature or dart throwing...)
- ightarrow Apply the Lloyd's relaxation until convergence
- ightarrow Project the final centroid onto the original mesh

The mesh simplification

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Example of a surface tesselation



The mesh simplification

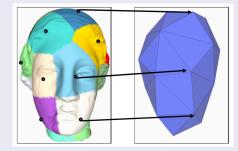
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How to obtain the base mesh?

- Keep the mass centers created by the Lloyd's relaxation
- Construct the Delaunay triangulation



Voronoi tesselation (left) and the corresponding mesh (right)

Refinement by subdivisions of the base mesh

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At each subdivision level (resolution)

- Subdivise the triangles (1 : 4 subdivision)
- Consider the added vertices as Voronoi seeds
- Update the tesselation using Lloyd's relaxation



first resolution





Update tesselation

Example of remeshing

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Adaptive refinement

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Idea

• Subdivide triangles only in the densest areas of the mesh

How to define a dense area?

• Let $T = (s_i, s_j, s_m)$ be the mass of a triangle of the semi-regular mesh such as

$$g(T) = inf_{k \in \{i,j,m\}}f(s_k)$$

where $f(s_k) = |R_k|$ is the mass associated to a centroid s_k

 \rightarrow subdivide if $g(T) \geq \epsilon$



Adaptive refinement algorithm



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Principle for one subdivision level

- INPUT Mesh at previous level (start with the coarse mesh)
- **STEP 1** Compute the mass g(T) of all triangles T
- STEP 2 Subdivide triangles with $g(T) \ge \epsilon$
- STEP 3 Perform Lloyd's relaxation until convergence
- **OUTPUT** Adaptive semi-regular mesh

Adaptive vs non adaptive refinements

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Remeshing of skull



- LEFT Uniform subdivision [Guskov et al. '01] (262 144 triangles - RMSE = 2.09×10^{-2})
- MIDDLE Original
 - RIGHT Remeshed with adaptive subdivision (in-house solution) (140 544 triangles RMSE = 1.05×10^{-2})

Multiresolution properties of the adaptive mesh

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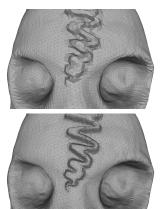
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How to measure the remeshing distortion?

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The surface-surface distance

• The point-surface distance

$$d(oldsymbol{p}, oldsymbol{\mathcal{S}}') = \mathit{min}_{oldsymbol{p}' \in oldsymbol{\mathcal{S}}'} \|oldsymbol{p} - oldsymbol{p}'\|_2$$

- The $\underline{unilateral}$ distance between 2 surfaces S and S'
 - RMSE $\rightarrow \bar{d}(S,S') = \left(\frac{1}{|S|} \int_{p \in S} d(p,S')^2 \mathrm{d}s\right)^{\frac{1}{2}}$
 - Hausdorff distance $o ar{d}(\mathcal{S},\mathcal{S}') = max_{p\in\mathcal{S}}d(p,\mathcal{S}')$

 \rightarrow The symmetrical surface-surface distance

 $d_{sym}(S,S') = max[\bar{d}(S,S'),\bar{d}(S',S)]$

Comparison with state of the art

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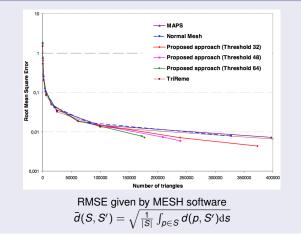
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RSME in function of the number of triangles for Venus



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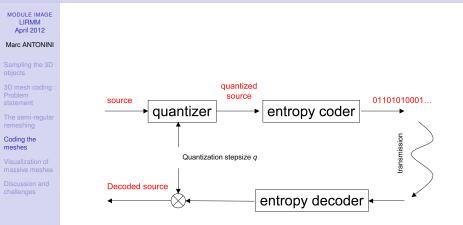
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General quantization/encoding principle



Principle

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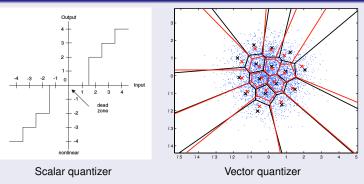
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Scalar quantization vs vector quantization



- Pⁱ =quantization cell
- The partition $P = \bigcup_i P^i$ with $P^i \cap P^j = \emptyset, \forall i \neq j$

Principle

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Quantizer of dimension N and size L :

• A quantizer with codebook C is defined as :

$$Q: \mathbf{R}^N o C$$
 with $C = \{\hat{s}^1, \hat{s}^2, ..., \hat{s}^L\}$ where $\hat{s}^i \in \mathbf{R}^N$ (1)

•
$$Q(s) = \hat{s}^i$$
 if $s \in P^i$

• The space is partitioned into L regions defined by

$$\boldsymbol{P}^{i} = \{\boldsymbol{s}: \boldsymbol{Q}(\boldsymbol{s}) = \hat{\boldsymbol{s}}^{i}\} \tag{2}$$

Generalized Lloyd Algorithm



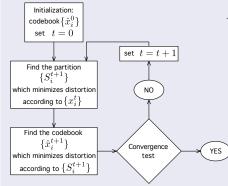
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Mean squared error



$$D_{\rm MSE} = \int p_x(x)(x - Q(x))^2 dx$$

dependance on $\{S_i\}$ dependance on $\{\hat{x}_i\}$

The quantization distortion

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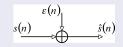
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• The quantization introduces additive noise :

$$\epsilon = s(n) - Q(s(n)) = s(n) - \hat{s}(n)$$



 The distortion between the input and the output of the quantizer is estimated by the mean square error (MSE) :

$$D = E[\epsilon^2]$$

= $\int_{\mathbf{R}^N} (s - Q(s))^2 f_S(s) ds$
= $\sum_{i=1}^L \int_{P^i} (s - \hat{s}^i)^2 f_S(s) ds$

where $f_S(s)$ is the source pdf

The bitrate

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Shannon entropy

$$H(X) = \sum_{i=1}^{L} p_i log_2(p_i)$$
 bits per sample

•
$$p_i = \Pr{\{Q(S) = \hat{s}^i\}} = \int_{P^i} f_S(s) ds$$

is the probability of the quantization symbol \hat{s}^i

- Entropy coders can reach Shannon entropy ($R \ge H$)
- Contextual entropy coders generally permit $R \le H$

Bitrate and distortion are linked



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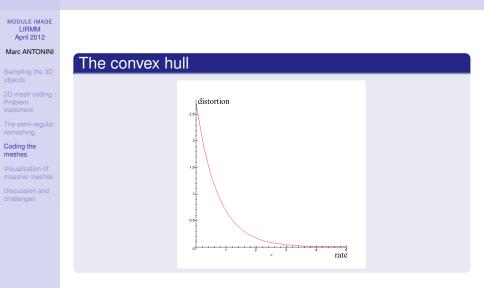
Discussion and challenges

Asymptotical approximation

$$D(R) = \sigma_S^2 \, 2^{-2R}$$

- R is the bitrate in bit per sample
- Approximation true for high bitrates R
- Open problem : find analytical models valid for all bitrates

Rate-distortion behavior



Position of the coding/decoding problem

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Discussion and challenges

The performances of a coding system are defined by :

• The compression ratio (CR)

- initial bitrate/bitrate after compression

• The quality of the decoded image

- objective criteria : MSE, SNR,...
- subjective criterion : visualization

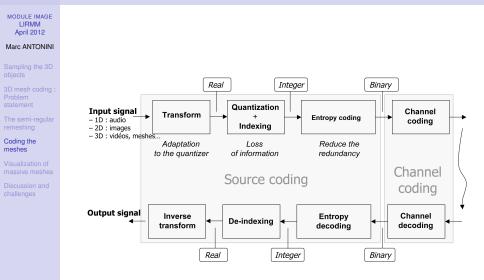
The complexity of the system

computational cost, required memory,...

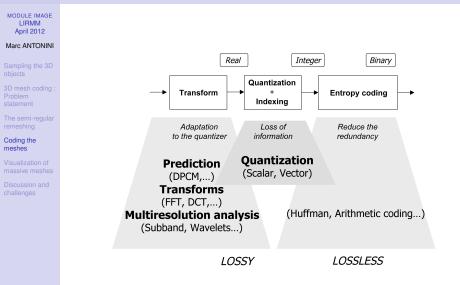
Problem

• Optimize jointly these 3 points

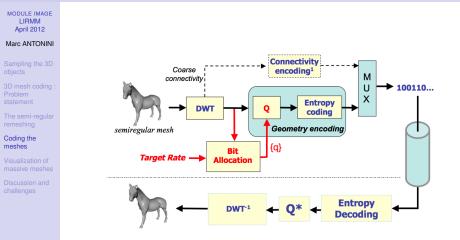
Typical coding scheme



The tools



The proposed coding scheme for meshes



¹ Connectivity encoding: Touma-Gotsman coder

DWT for remeshed surfaces : The tools

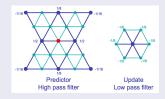
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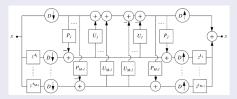
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- Discussion and challenges

Butterfly-based wavelet transform (1996)

 $\rightarrow\,$ A lifting scheme implementation - Interpolating filter



 \rightarrow The 4-Channels lifting scheme



DWT for remeshed surfaces

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Properties for compression

- \rightarrow The connectivity is implicit except for the coarse mesh
- ightarrow Only the geometry (wavelet coefficients) must be coded

Optimize the rate-distortion trade-off !

→ Bit allocation



Optimal bit allocation

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Objective

- Given a rate constraint $\sum_{i=1}^{M} a_i R_i \leq R_{\text{MAX}}$,
- Determine the optimal set of bit-rates $\mathbf{R} = \{R_i\}_{i=1}^M$
- Which minimizes global distortion *D*(**R**),
- Knowing that $D(\mathbf{R}) = \sum_{i=1}^{M} w_i D_i(R_i)$

Lagrangian optimization : minimize

$$J(\mathbf{R}, \lambda) = \sum_{i=1}^{M} w_i D_i(R_i) - \lambda (\sum_{i=1}^{M} a_i R_i - R_{\text{MAX}})$$

 λ : common slope to curves $D_i(R_i)$ hypothesis : $D_i(R_i)$ are convex and monotonic

Optimal bit allocation : algorithm



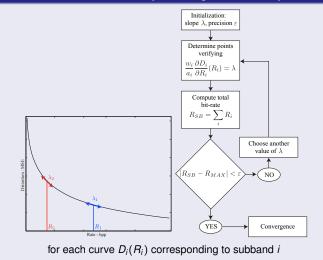
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Determine the rate corresponding to the slope λ



Quantizing the DWT of the geometry

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The lattice vector quantization solution (LVQ)

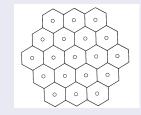
• Why LVQ?

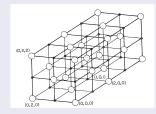
...

- \rightarrow VQ is well suited for geometry coding
 - a vertex v is a vector $\in \mathbb{R}^3$
 - a triangle T is a vector $\in \mathbb{R}^9$

→ LVQ is a structured vector quantizer defined as $\Lambda \in \mathbb{R}^n$ $\Lambda = \{\mathbf{x} | \mathbf{x} = u_1 \mathbf{a}_1 + u_2 \mathbf{a}_2 + ... u_n \mathbf{a}_n\}$ where $a_i \in \mathbb{R}^m$ $(m \ge n)$

Examples





Using a LVQ for quantization

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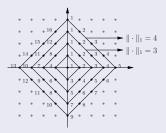
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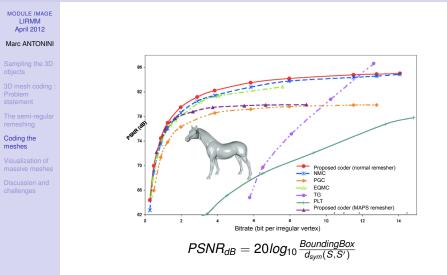
Discussion and challenges

The product code

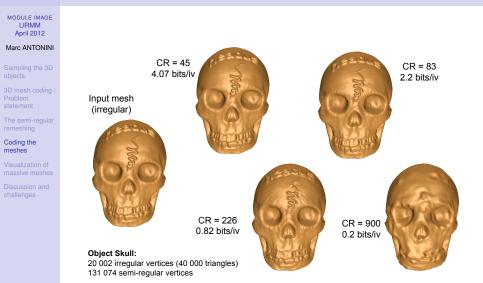
- A group of triangles of the mesh is quantized by a lattice point
- Each lattice point is indexed using a product code composed by
 - \rightarrow the lattice point norm
 - $\rightarrow~$ its position on a surface with constant norm



Coding/decoding results



Visual coding/decoding results



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Visualization and manipulation application

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Motivation

- Visualize massive meshes (> millions of triangles)
- "Real time" rendering
- Scalability (resolution, rate, ROI...)

Bottleneck

- The DATA BUS between HDD, RAM and VRAM !!
 - $\rightarrow\,$ Slow data transmission compared to Tera flops computation capacity of today Graphic Cards
 - ightarrow DATA BUS seen as a low bandwidth transmission channel

Visualization and manipulation application

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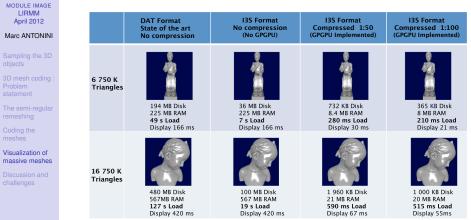
Discussion and challenges

Solution

- Push COMPRESSED GEOMETRY to the VRAM
- Decoding INSIDE the GPU (GPGPU implemented)



Loading and rendering time consumption



GPU: 7x48 OpenCL cores @ 1430MHz, VRAM: 1GB, Bandwidth: 115.2GB/s

Demonstration : visualizing huge meshes

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Characteristics of the material

- NVIDIA GeForce 320M (GPU)
- Memory (RAM) = 4 Go
- Memory (VRAM) = 256 Mo

Characteristics of the mesh (BIMBA)

- Number of triangles = 16 750 000
- Number of vertices = 8 437 666
- Total cost on HDD = 290 Mo
- Total cost including the normals = 386 Mo

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Discussion

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Discussion and challenges

Semi-regularity allows

- \rightarrow implicit connectivity
- \rightarrow DWT <u>multiresolution</u> analysis
- ightarrow good scalability properties

Wavelets and vector quantization allow

- \rightarrow highly parallel coding/decoding
- $\rightarrow \ \underline{\text{last moment}} \ \text{GPU decoding} \\ \underline{\text{solving the data transfer bottleneck on data buses}}$
- → multiresolution technology minimizing drastically the GPU resources needed
- $\rightarrow\,$ to visualize or manipulate multi-millions triangles objects on Workstations (multi-thousands on Smartphones)

Challenges

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- Deal with more complex objects and/or more detailed (out-of-core)
- 3D animations
- Take into account human visual perception
- What efficient perceptual distortion measure?

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Thank you !!

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