

A HIGH CAPACITY REVERSIBLE WATERMARKING SCHEME

Marc CHAUMONT and William PUECH
 marc.chaumont@lirmm.fr and william.puech@lirmm.fr
 LIRMM, UMR CNRS 5506, Université de Montpellier II,
 Université de Nîmes.



INTRODUCTION TO REVERSIBILITY CONCEPT:

“The watermarked Works (in the case of reversible watermarking) need only to be recognizable, and **salt-and-pepper artifacts might not be a serious problem.**”
 (Digital Watermarking and Steganography, Cox, Miller, Bloom, Fridrich, Kalker, 2007, p. 382)

- The 2 main **requirements** for a reversible watermarking are **capacity and rapidity**,
- 3 **categories** of reversible watermarking schemes: the **compression-based**, the **histogram-based** and the **expansion-based**,
- The current paper is an **improvement** of the expansion-based algorithm of D. Coltuc:
“Improved Capacity Reversible Watermarking”, ICIP’2007.

ALGORITHM:

Mathematical part:

- $n \geq 3$
- $T : \mathbb{N} \times \mathbb{N} \rightarrow \mathbb{N}$
 $T(x_1, x_2) = (n+1) \cdot x_1 - n \cdot x_2$.
- the image is noted I and the watermarked image I_w

General embedding algorithm:

STEP 1: Classify pixels into 3 different classes:
embedding, *to-correct* and *original*.

embedding pixel $\equiv 0 \leq T(I(i), I(i+1))$ and $T(I(i), I(i+1)) + n \leq 255$,
to-correct pixel $\equiv T(I(i), I(i+1)) < 0$ or $T(I(i), I(i+1)) + n > 255$,
original pixel \equiv stand before a *to-correct* pixel.

STEP 2: Embed into *embedding* pixels
 the corrective-codes + the message.

Note that *embedding* pixels:
 - are T transformed : $I_T(i) = T(I(i), I(i+1))$.
 - must embed a coefficient w belonging to $[1, n]$:
 $I_w(i) = I_T(i) + w$.

Details of STEP 1 of embedding:

Scan image I from left to right and top to bottom
begin
if pixel i is an *embedding pixel*
then apply transformation to I : $I_T(i) = T(I(i), I(i+1))$
else - **find** next pixel j which is an *embedding pixel*
 - **alternate** *unmodified pixel* and *to-correct pixel*
 between i and $j-1$ or between $i-1$ and $j-1$
 (depending of $j-i$ parity)
end-if
end

All pixels in the *to-correct* state are modified such that:

$c \leftarrow (I(i) + n \cdot I(i+1)) \bmod (n+1)$;
 if $(I(i) - c) < 0$ then $c \leftarrow -(n+1-c)$;
 $I_w(i) \leftarrow I(i) - c$.

with c a corrective-code which will have to be embedded.

Details of STEP 1 of extraction:

Scan image I from right to left and bottom to top
begin
if pixel i is such that $(I_w(i) + n \cdot I(i+1)) \bmod (n+1) \neq 0$
then pixel i is an *embedding pixel*
 - **extract** coefficient w
 - **correct** pixel i
else - **alternate** *unmodified pixel* and *to-correct pixel*
 until finding an *embedding pixel*
end-if
end

General extraction algorithm:

STEP 1: Classify pixels into 3 different classes:
embedding, *to-correct* and *original*.
 Extract from *embedding* pixels
 the corrective-codes + the message.

STEP 2: Correct the *to-correct* pixels.

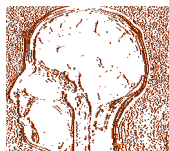
RESULTS AND CONCLUSIONS:



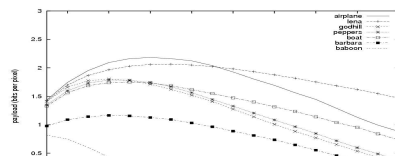
228x256 head image



watermarked image,
 $n=4$, PSNR=19.8 dB,
 payload=0.99 bpp



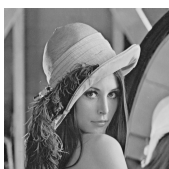
states map
 white: embedding pixels
 red: to-correct pixels
 black: original pixels



Real payload in function of parameter n
 for few classical 512x512, 8-bits images

| Image | payload | PSNR |
|----------|--------------------------|----------|
| Airplane | 457 256 bits 1.74 bpp | 20.90 dB |
| Lena | 445 294 bits 1.70 bpp | 19.60 dB |
| Godhill | 435 040 bits 1.66 bpp | 18.56 dB |
| Peppers | 418 710 bits 1.60 bpp | 19.56 dB |
| Boat | 409 444 bits 1.56 bpp | 19.52 dB |
| Barbara | 285 620 bits 1.09 bpp | 18.82 dB |
| Baboon | 195 608 bits 0.75 bpp | 16.10 dB |

Payload on few classical grey-level images,
 512x512, 8-bits per pixel with $n=4$



512x512 Lena image



watermarked image,
 $n=4$, PSNR=19.6 dB,
 payload=1.7 bpp



states map
 white: embedding pixels
 red: to-correct pixels
 black: original pixels

Conclusion:

- One of the **highest** reversible watermarking schemes for its **capacity**,
 - A **very low complexity** approach.
- ↳ Future work should take into account *corrective-codes* compression, security with order-scan, tradeoff between distortion and payload.

Acknowledgments:

TSAR French Project ANR SSIA 2006-2008
 VOODOO French Project ANR CI 2008-2011
 Languedoc-Roussillon Region